

# Characterization of microstructure and crystallographic texture of ceramics

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# Structure determination on real (textured) samples

## Dilemma 1

Structure and QTA: correlations:  $f(g)$  and  $|F_h|^2$  are different !

$f(g)$ :

- Angularly constrained:  $[h_1k_1l_1]^*$  and  $[h_2k_2l_2]^*$  make a given angle: more determined if  $F^2$  high
- lot of data (spectra) needed

$|F_h|^2$ :

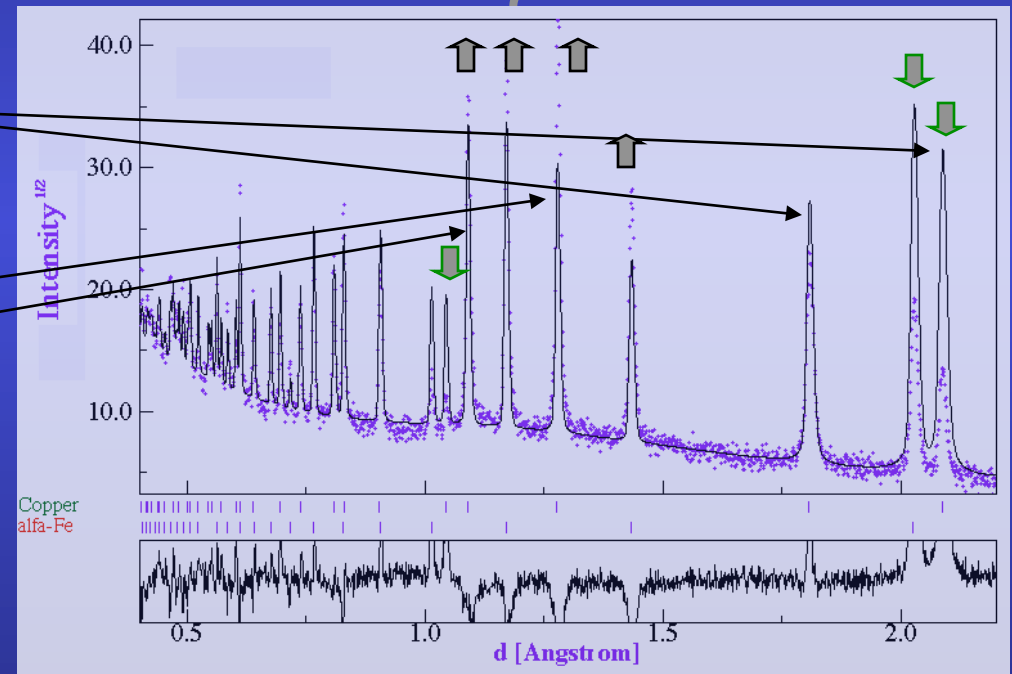
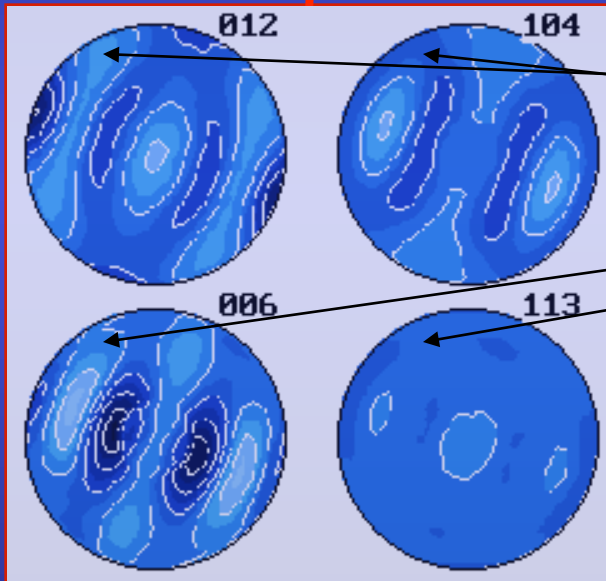
- Position,  $f_i$ , and Debye-Waller constrained
- work on the sum of all diagrams on average

# Texture from Spectra

## Orientation Distribution Function (ODF)

From pole figures

From spectra



Le Bail extraction + ODF: WMV, E-WIMV, Generalized spherical harmonics, components, ADC, entropy maximisation ...

# Residual Stresses shift peaks with $y$

## Dilemma 2

Stress and QTA: correlations:  $f(g)$  and  $C_{ijkl}$

$f(g)$ :

- Moves the  $\sin^2\Psi$  law away from linear relationship
- Needs the integrated peak (full spectra)

strains:

- Measured with pole figures
- needs the mean peak position

Isotropic samples: triaxial, biaxial, uniaxial stress states

Textured samples: Reuss, Voigt, Hill, Bulk geometric mean approaches

# Layered systems

## Dilemma 3

Layer, Rietveld and QTA: correlations:  $f(g)$ , thicknesses and structure

$f(g)$ :

- Pole figures need corrections for abs-vol
- Rietveld also to correct intensities

layers:

- unknown sample true absorption coefficient  $\mu$
- unknown effective thickness (porosity)

# Phase and Texture

## Dilemma 4

Phase and QTA: correlations:  $f(g)$ ,  $S_{\Phi}$

$f(g)$ :

- angular relationships
- plays on individual spectra
- essential to operate on textured sample

$S_{\Phi}$ :

- plays on overall scale factor (sum diagram)

# Residual Stresses shift peaks with $\gamma$

## Dilemma 5

Stress and cell parameters: correlations: peak positions and  $C_{ijkl}$

Cell parameters:

- Measured at high angles
- Bragg law evolution

strains:

- Measured precisely at high angles
- stiffness-based variation, also with  $\Psi$

# Shapes, microstrains, defaults, distributions

## Dilemma 6

Shapes .... and stress-texture-structure: correlations ?

Shapes ....:

- line broadening problem
- average positions modified
- if anisotropic: modification changes with  $\gamma$

Stress-texture-structure:

- need “true” peak positions and intensities
- need deconvoluted signals



# Combined Analysis approach

Extracted Intensities

*WIMV, E-WIMV*  
*Harmonics, components, ADC*

Orientation Distribution Function

*Rietveld*

Structure  
+  
Microstructure  
+  
phase %

*Popa-Balzar,*  
*sin<sup>2</sup>ψ*

Residual stresses  
Strain Distribution Function

Specular Reflectivity

Roughness,  
electron Density  
& EDP,  
Thickness

pole figures  
inverse pole figures

**Structural parameters**  
atomic positions, substitutions, vibrations  
cell parameters

**Multiphased, layered samples:**  
Thickness,  
Anisotropic Sizes  
and  $\mu$ -strains (*Popa*),  
Stacking faults (*Warren*),  
Distributions, Turbostratism (*Ufer*)

**Phase ratio (amorphous + crystalline)**  
*Le Bail*      *Rietveld*

*Fresnel,*  
*Matrix (Parrat),*  
*DWBA*

*Voigt,*  
*Reuss,*  
*Geometric*  
*mean*

*Le Bail*

## Grinding to powderise another dilemma !

Grinding: removes angular relationship, adds correlations

Texture:

- not measured
- removed ? hope to get a perfect powder

Strains, defaults, anisotropy ... :

- some removed, some added

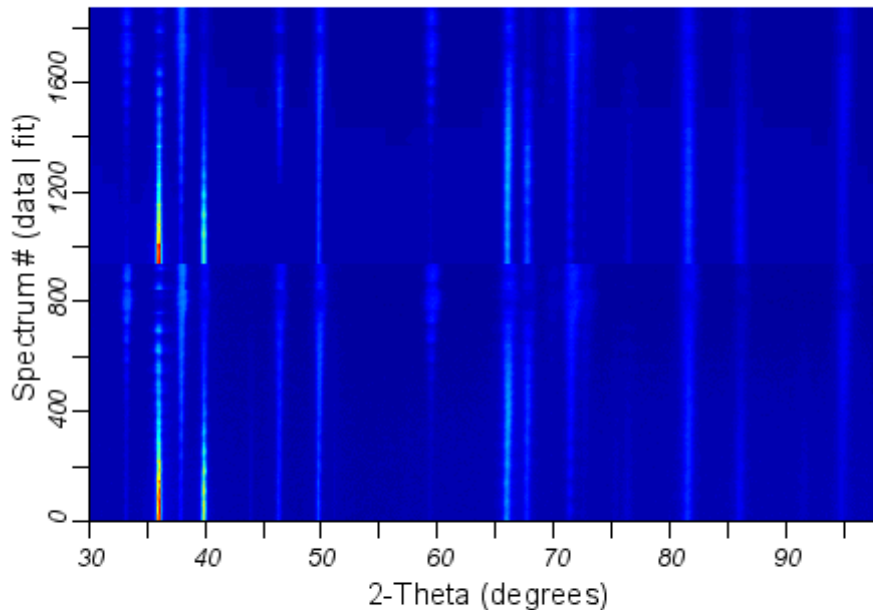
Same sample ?

Rare samples ?

# AIN/Pt/TiO<sub>x</sub>/Al<sub>2</sub>O<sub>3</sub>/Ni-Co-Cr-Al

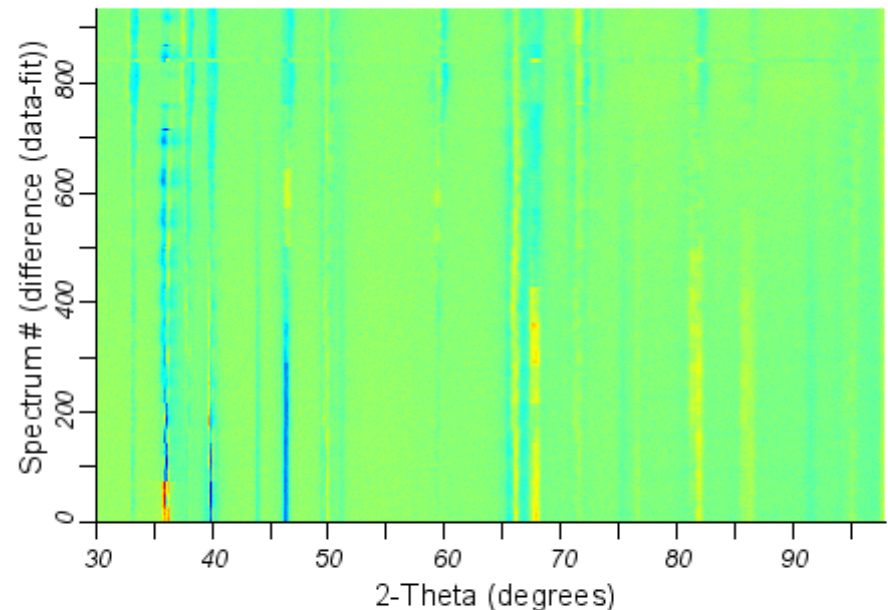
2D Multiplot for Data 05\_37P64

measured data and fit



2D difference plot for Data 05\_37P64

difference data - fit

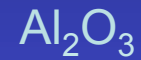


Rw (%) = 24.120445  
Rexp (%) = 5.8517213

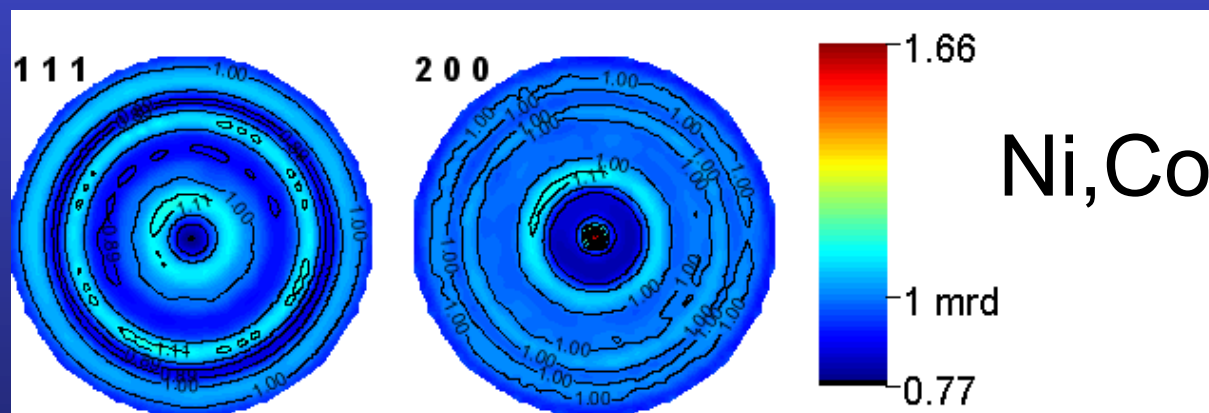
T(AIN) = 14270(3) nm  
T(Pt) = 430(3) nm



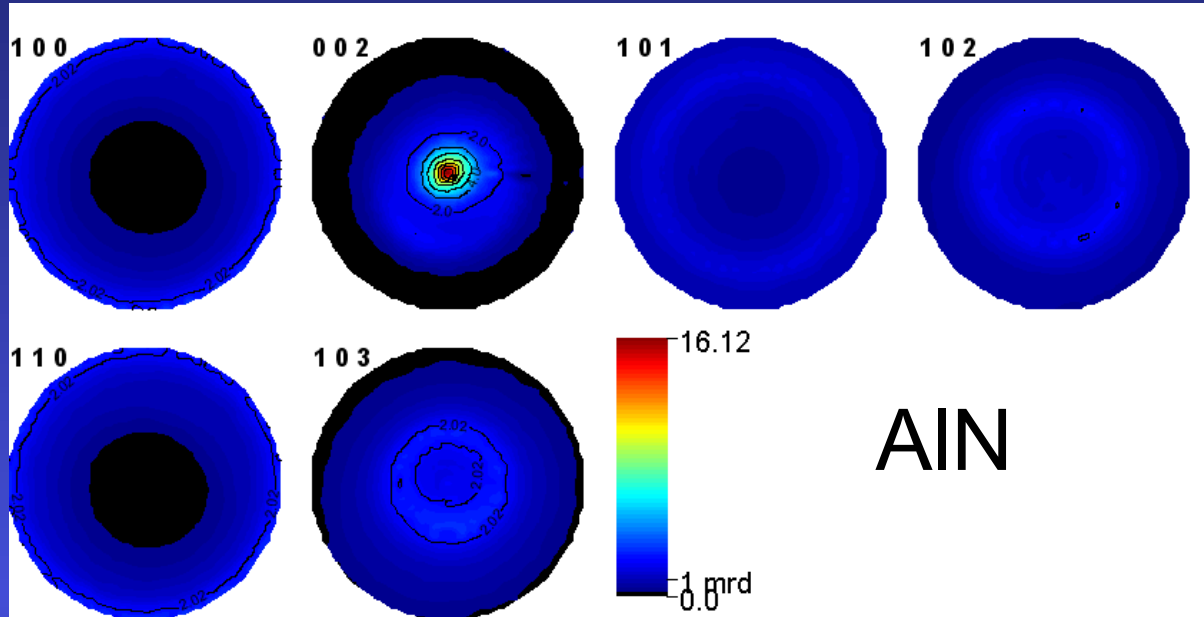
$(\chi, \varphi)$  randomly  
selected diagrams



$a = 4.7562(6) \text{ \AA}$   
 $c = 12.875(3) \text{ \AA}$   
 $T = 7790(31) \text{ nm}$   
 $\langle t \rangle = 150(2) \text{ \AA}$   
 $\langle \varepsilon \rangle = 0.008(3)$



$a = 3.569377(5) \text{ \AA}$   
 $\langle t \rangle = 7600(1900) \text{ \AA}$   
 $\langle \varepsilon \rangle = 0.00236(3)$   
 $\sigma_{11} = -328(8) \text{ MPa}$   
 $\sigma_{22} = -411(9) \text{ MPa}$



Rw (%) = 4.1

$a = 3.11203(1) \text{ \AA}$

$c = 4.98252(1) \text{ \AA}$

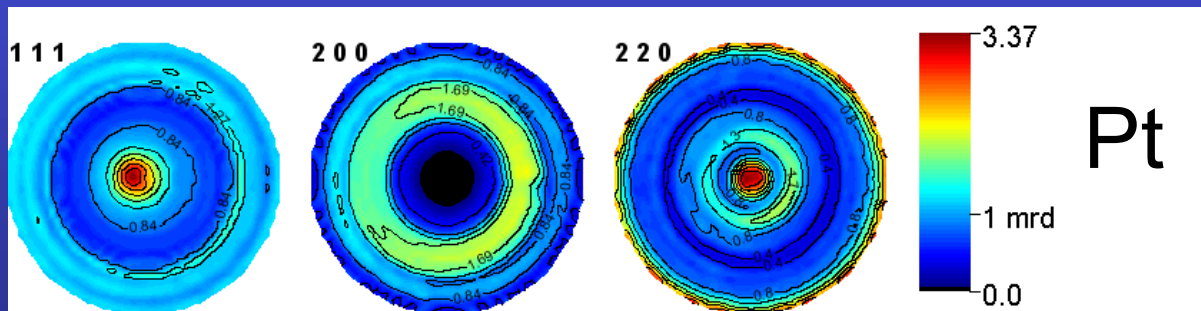
$T = 14270(3) \text{ nm}$

$\langle t \rangle = 2404(8) \text{ \AA}$

$\langle \varepsilon \rangle = 0.001853(2)$

$\sigma_{11} = -1019(2) \text{ MPa}$

$\sigma_{22} = -845(2) \text{ MPa}$



Rw (%) = 33.3

$a = 3.91198(1) \text{ \AA}$

$T = 1204(3) \text{ nm}$

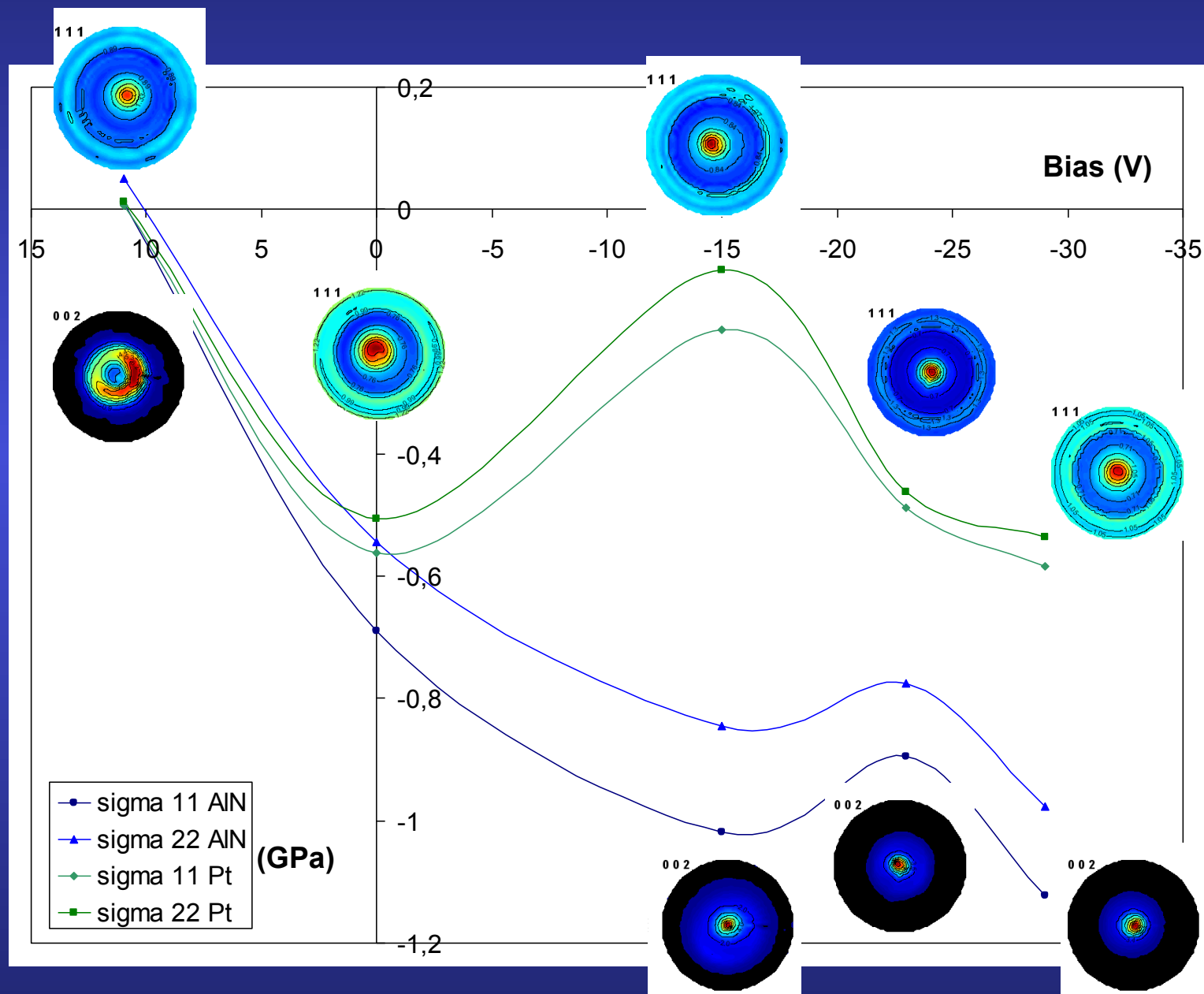
$\langle t \rangle = 2173(10) \text{ \AA}$

$\langle \varepsilon \rangle = 0.002410(3)$

$\sigma_{11} = -196.5(8)$

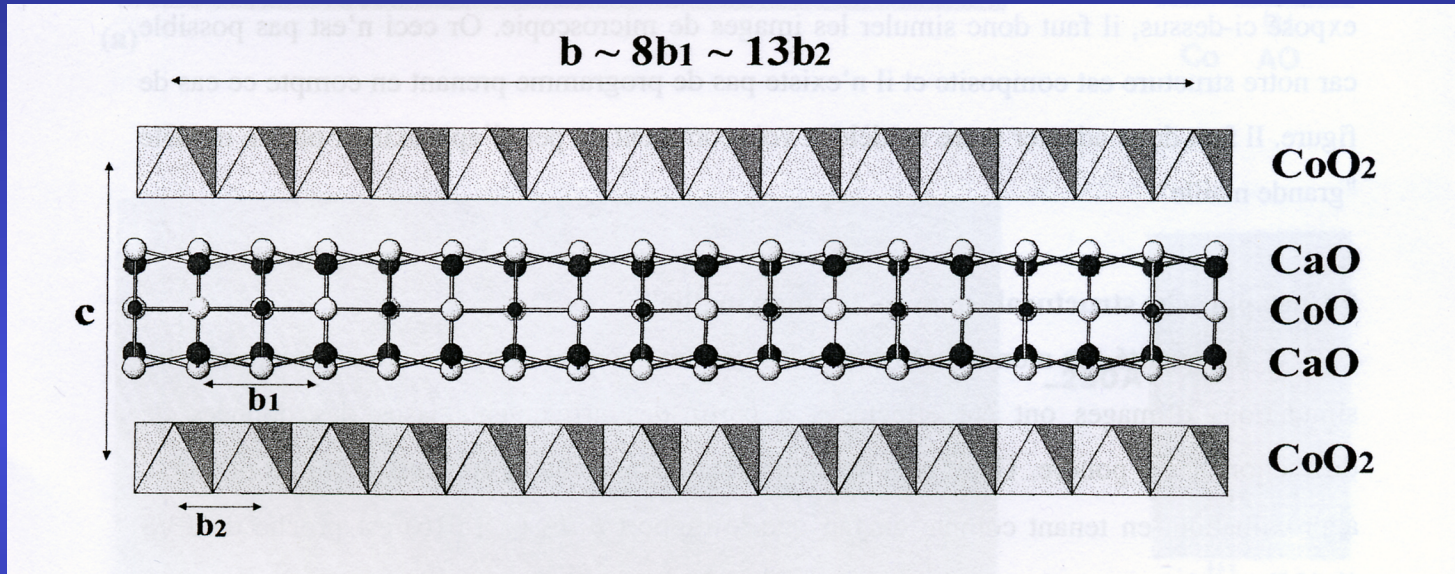
$\sigma_{22} = -99.6(6)$

# Substrate bias vs stress-texture evolution



# Ca<sub>3</sub>Co<sub>4</sub>O<sub>9</sub> thermoelectrics

Ca<sub>3</sub>Co<sub>4</sub>O<sub>9</sub>: Misfit lamellar and modulated Structure, with high thermopower



Two monoclinic sub-systems:

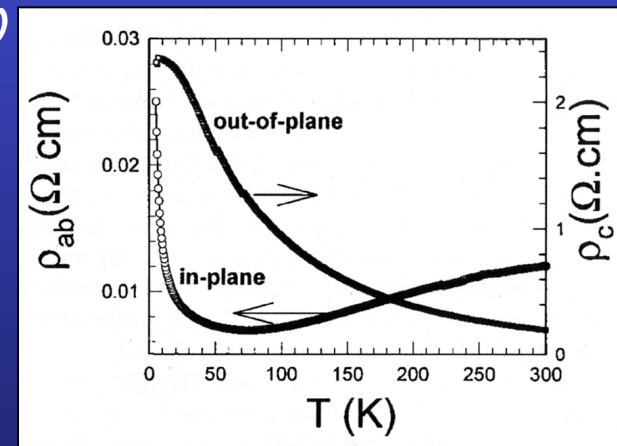
S1 with  $a \sim 4.8\text{\AA}$ ,  $b_1 \sim 4.5\text{\AA}$ ,  $c \sim 10.8\text{\AA}$  et  $\beta \sim 98^\circ$  (NaCl-type)

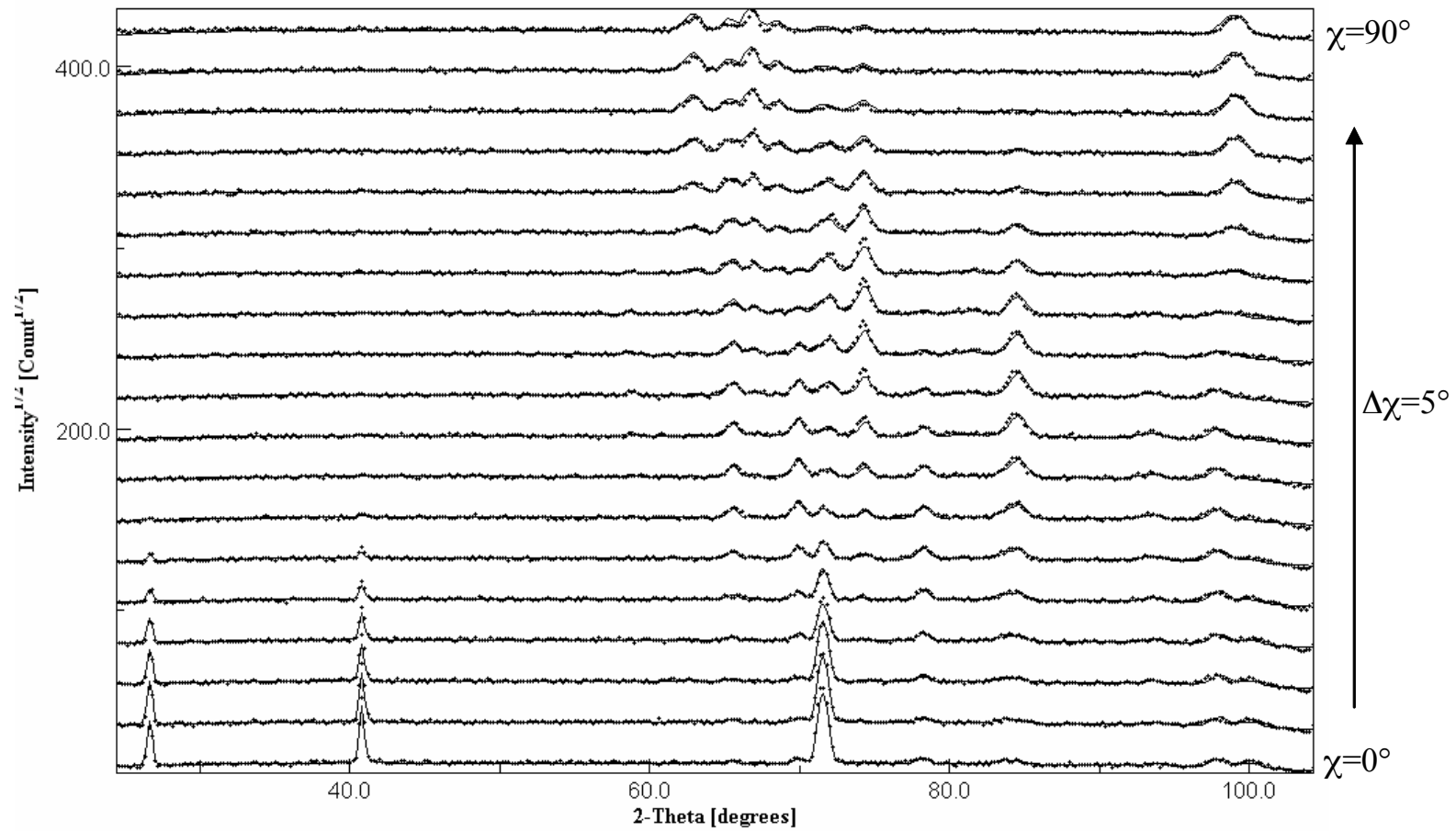
S2 with  $a \sim 4.8\text{\AA}$ ,  $b_2 \sim 2.8\text{\AA}$ ,  $c \sim 10.8\text{\AA}$  et  $\beta \sim 98^\circ$  (CdI<sub>2</sub>-type)

$$\Gamma = \sigma_{ab} / \sigma_c \sim 10$$



Texture





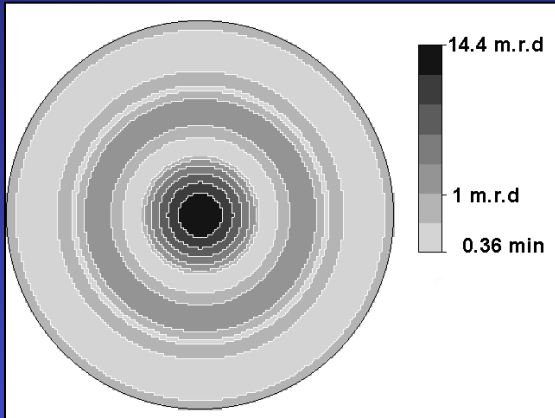
Supercell



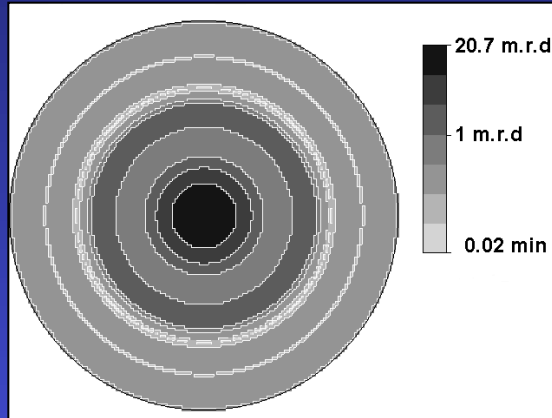
RP=19.7%, Rw=11.9%



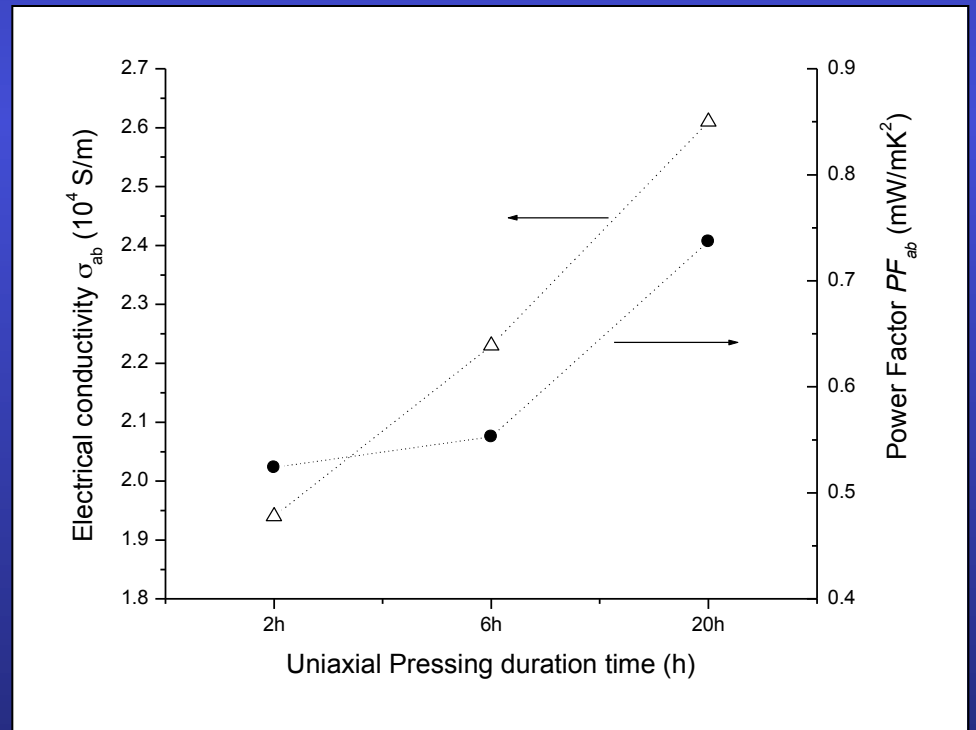
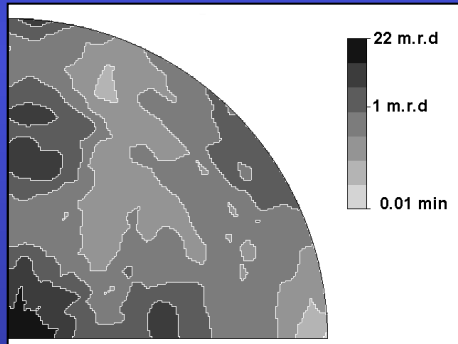
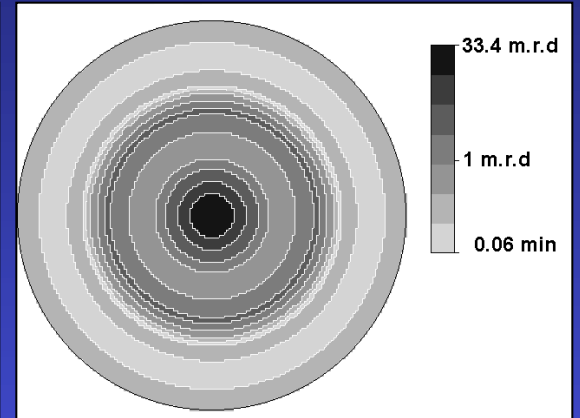
9.8 MPa for 2 h



19.6 MPa for 6 h



19.6 MPa for 20 h



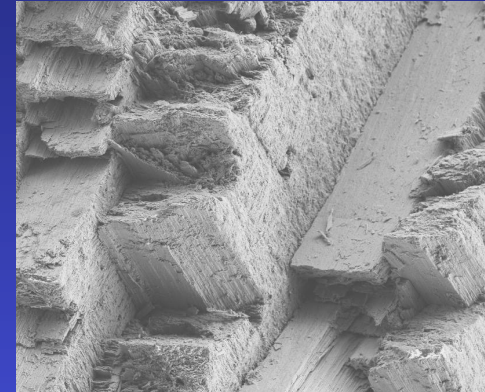
*Templated Growth Method*

# *Aragonitic layers in mollusc shells*

*Gastropods*

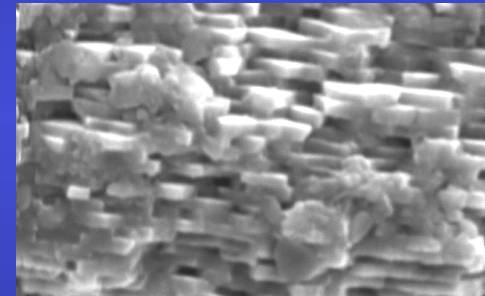
*Crossed  
lamellar layers*

*Charonia lampas lampas* (triton or trumpet cousin)



*Columnar  
Nacre*

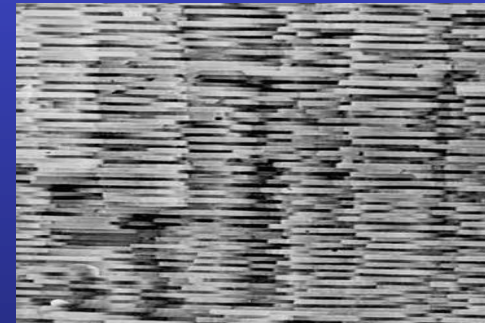
*Haliotis tuberculata* (common abalone)

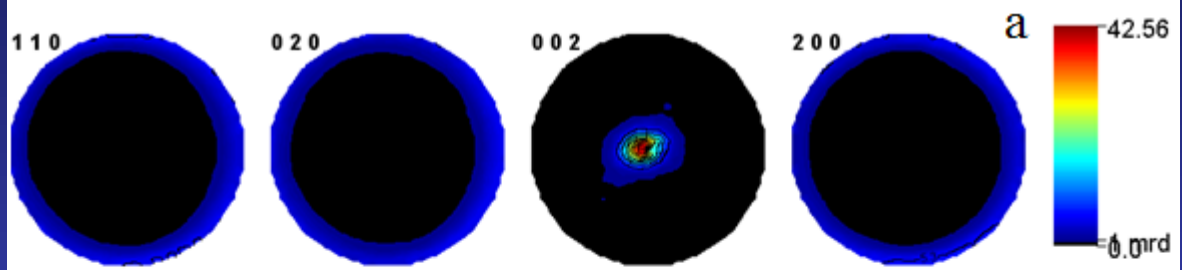


*Bivalves*

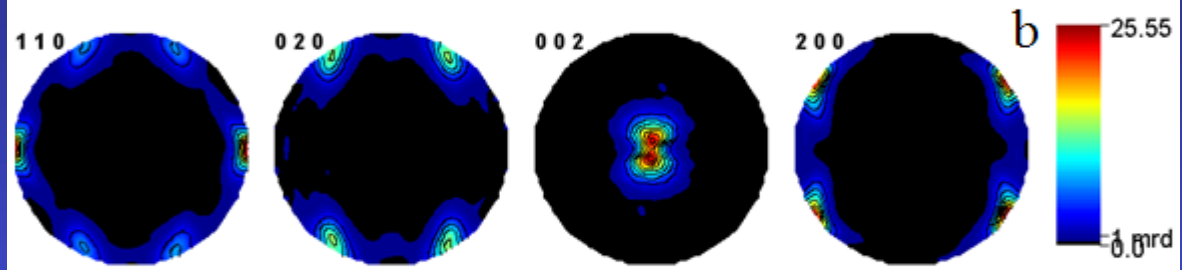
*Sheet Nacre*

*Pinctada maxima* (Mother of pearl oyster)

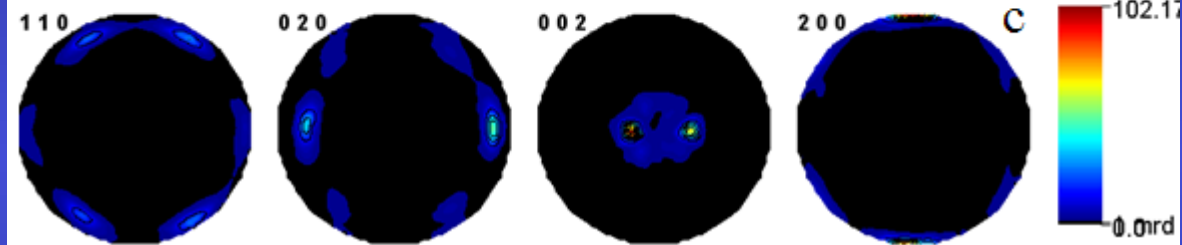




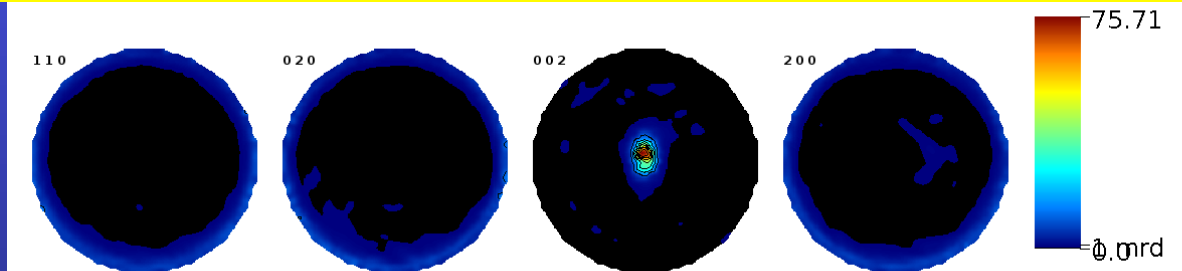
Outer CL  
43 mrd<sup>2</sup>



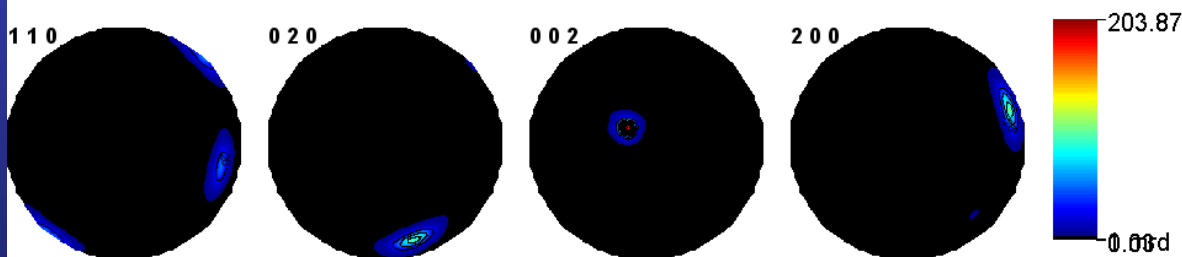
Inter Radial CL  
47 mrd<sup>2</sup>



Inner Com CL  
721 mrd<sup>2</sup>



Inner Columnar Nacre  
211 mrd<sup>2</sup>



Inner Sheet Nacre  
1100 mrd<sup>2</sup>

## Unit-cell distortions

	OCL	<i>Charonia</i> IRCL	ICCL	<i>Pinctada</i> ISN	<i>Haliotis</i> ICN
a (Å)	4,98563(7)	4,97538(4)	4,9813(1)	4,97071(4)	4.9480(2)
b (Å)	8,0103(1)	7,98848(8)	7,9679(1)	7,96629(6)	7.9427(6)
c (Å)	5,74626(3)	5,74961(2)	5,76261(5)	5,74804(2)	5.7443(6)
$\Delta a/a$	0,0047	0,0026	0,0038	0.0017	-0.0029
$\Delta b/b$	0,0053	0,0026	0,0000	-0.0002	-0.0032
$\Delta c/c$	0,0004	0,0010	0,0033	0.0007	0.0007
$\Delta V/V$ (%)	1,05	0,62	0,71	0.22	-0.60

Anisotropic cell distortion - depends on the layer

Only nacres exhibit (a,b) contraction

Due to inter- and intra-crystalline molecules

Distortions and anisotropies larger than pure intra- effect (Pokroy et al. 2007)

# Elastic stiffnesses

<b>Single crystal</b>	<b>160</b>	<b>37.3</b> <b>87.2</b>	<b>1.7</b> <b>15.7</b> <b>84.8</b>	<b>41.2</b>	<b>25.6</b>	<b>42.7</b>
<b>ICCL</b>	<b>96.5</b>	<b>31.6</b> <b>139</b>	<b>13.7</b> <b>9.5</b> <b>87.8</b>	<b>29.8</b>	<b>36.6</b>	<b>40.2</b>
<b>RCL</b>	<b>130.1</b>	<b>32.6</b> <b>103.3</b>	<b>10.3</b> <b>14.1</b> <b>84.5</b>	<b>36.3</b>	<b>31.1</b>	<b>40.5</b>
<b>OCL</b>	<b>111.1</b>	<b>32.9</b> <b>119</b>	<b>13.2</b> <b>11.8</b> <b>84.8</b>	<b>32.8</b>	<b>34.6</b>	<b>40.9</b>

# Atomic Structures

		Geological reference	<i>Charonia lampas</i> OCL	<i>Charonia lampas</i> IRCL	<i>Charonia lampas</i> ICCL	<i>Strombus decorus</i> mixture	<i>Pinctada maxima</i> ISN
Ca	y	0.41500	0.41418(5)	0.414071(4)	0.41276(9)	0.4135(7)	0.41479 (3)
	z	0.75970	0.75939(3)	0.76057(2)	0.75818(8)	0.7601(8)	0.75939 (2)
C	y	0.76220	0.7628(2)	0.76341(2)	0.7356(4)	0.7607(4)	0.7676 (1)
	z	-0.08620	-0.0920(1)	-0.08702(9)	-0.0833(2)	-0.0851(7)	-0.0831 (1)
O1	y	0.92250	0.9115(2)	0.9238(1)	0.8957(3)	0.9228(4)	0.9134 (1)
	z	-0.09620	-0.09205(8)	-0.09456(6)	-0.1018(2)	-0.0905(9)	-0.09255 (7)
O2	x	0.47360	0.4768(1)	0.4754(1)	0.4864(3)	0.4763(6)	0.4678 (1)
	y	0.68100	0.6826(1)	0.68332(9)	0.6834(2)	0.6833(3)	0.68176 (7)
	z	-0.08620	-0.08368(6)	-0.08473(5)	-0.0926(1)	-0.0863(7)	-0.09060 (4)
<b><math>\Delta Z_{C-O1}</math> (Å)</b>		<b>0.05744</b>	<b>0.00029</b>	<b>0.04335</b>	<b>0.1066</b>	<b>0.031</b>	<b>0,054</b>

Carbonate group aplanarity specific to a given layer

Aplanarity decreases from inner to outer shell layers (CL layers)

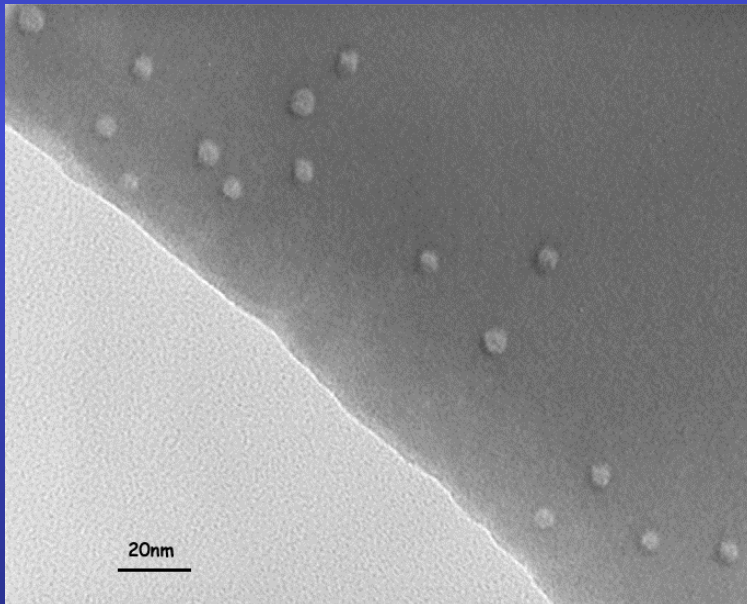
-> up to quite  $\Delta Z=0$  outside (nearly the calcite value)

Average aplanarity on the whole shell = geological reference (Strombus)

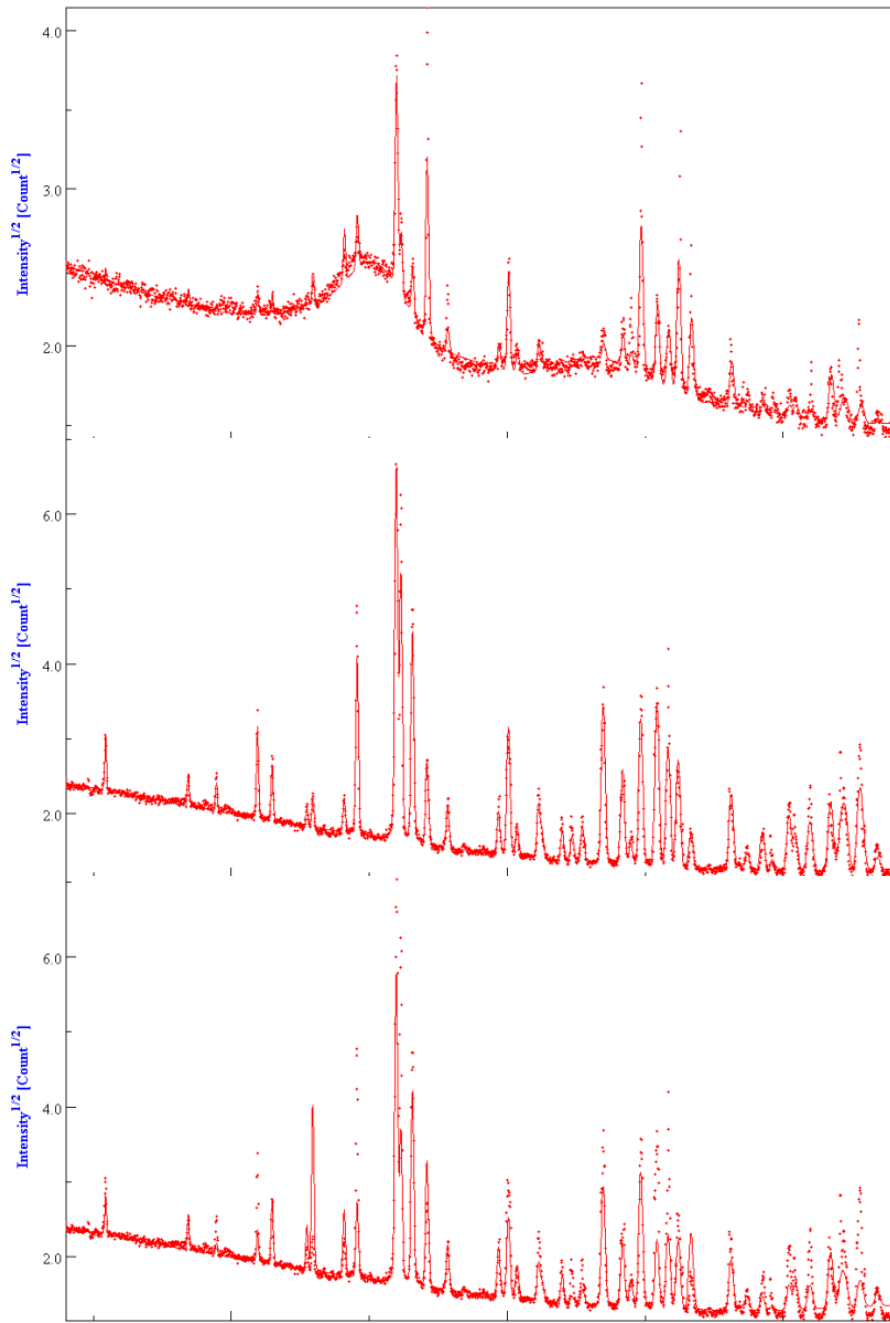
In *Haliotis nacre*: large  $\Delta Z=0.08$ , + strong anisotropy: less stable nacre

# *Irradiated FluorApatite (FAp) ceramics*

Self-recrystallisation under irradiation, depending on  $\text{SiO}_4 / \text{PO}_4$  ratio (FAp / Nd-Britholite) and on irradiating species



TEM of FAp  
irradiated with 70  
MeV,  $10^{12}$  Kr  $\text{cm}^{-2}$   
ions



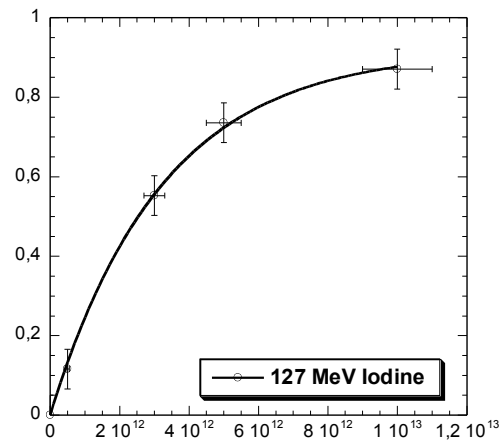
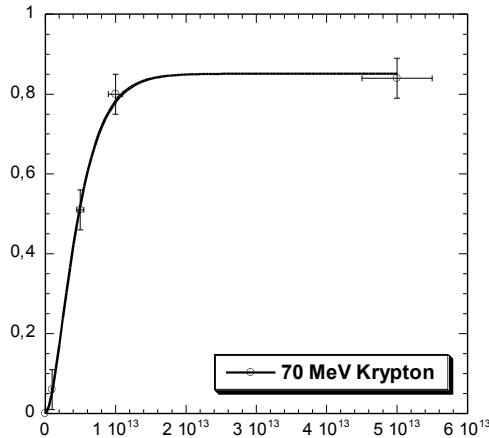
texture corrected,  
 $10^{13}$  Kr cm<sup>-2</sup>

Virgin, with texture  
correction

Virgin, no texture  
correction



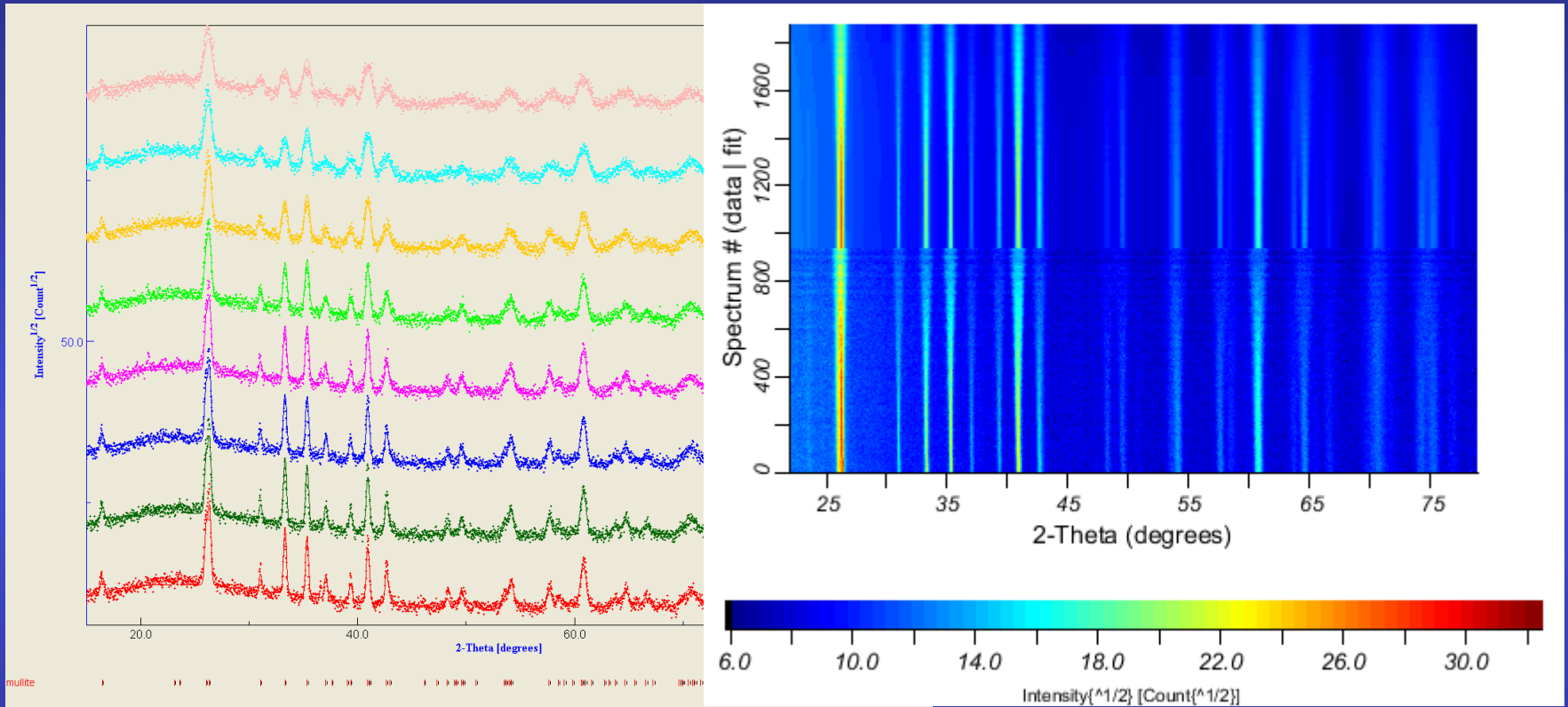
# Amorphous/crystalline volume fraction (damaged fraction $F_d = V_a / V$ ) as determined by x-ray diffraction



B

Fitting parameters	Krypton		Iodine
	Single impact $F_d = B(1 - \exp(-A\phi t))$	Double impact $F_d = B(1 - (1 + A\phi t) \exp(-A\phi t))$	Single impact $F_d = B(1 - \exp(-A\phi t))$
$A = \pi R^2$ (cm <sup>2</sup> )	$1.85 \pm 0.15 \cdot 10^{-13}$	$4.1 \pm 0.15 \cdot 10^{-13}$	$3.3 \pm 0.15 \cdot 10^{-13}$
Radius R (nm)	$2.4 \pm 0.2$	3.6	3.2
<b>B</b> (Max.damage rate)	0.87	$0.85 \pm 0.2$	$0.92 \pm 0.2$
$\chi^2$	0.013	0.0006	0.0004

# Mullite-silica composites



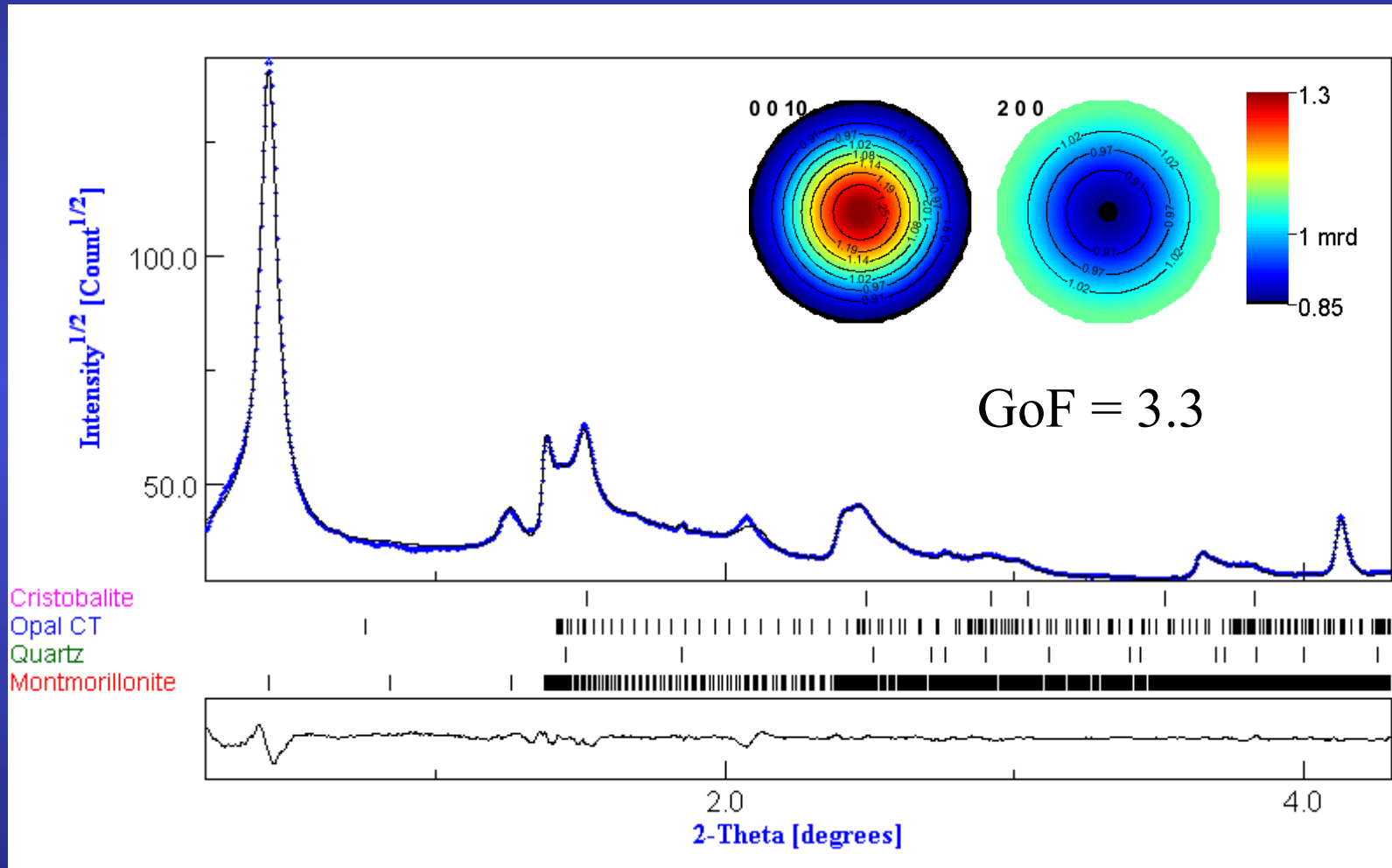
ODF:  $R_w = 4.87 \%$ ,  $R_B = 4.01 \%$

Rietveld:  $R_w = 12.90 \%$ , GoF = 1.77

Mullite:  $a = 7.56486(5) \text{ \AA}$ ;  $b = 7.71048(5) \text{ \AA}$ ;  $c = 2.89059(1) \text{ \AA}$



# Turbostratic phyllosilicate aggregates



# *Structural distortions in aragonitic biogenic ceramic composites*

**Aplanarity of carbonate groups in  
 $\text{CaCO}_3$**

$$\Delta Z_{\text{C-O1}} = c(z_{\text{C}} - z_{\text{O1}})$$

*Calcite*

*Biogenic  
aragonite*

*Mineral  
aragonite*

*0 Å*

*Intermediate ?*

*0.05744 Å*

## *Conclusions*

- a) Texture affects phase ratio and structure determination
- b) Microstructure (crystallite size) affects texture (go to a)
- c) Stresses shift peaks then affects structure and texture determination
- d) Combined analysis may be a solution, unless you can destroy your sample or are not interested in macroscopic anisotropy ...
- e) If you think you can destroy it, perhaps think twice
- f) more information is always needed: local probes ...
- g) Combined Analysis (D. Chateigner Ed), Wiley-ISTE 2010