

Combined Analysis: structure, microstructure, texture, stresses, phase, reflectivity

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Structure determination on real (textured) samples

Dilemma 1

Structure and QTA: correlations: $f(g)$ and $|F_h|^2$ are different!

$f(g)$:

- Angularly constrained: $[h_1 k_1 l_1]^*$ and $[h_2 k_2 l_2]^*$ make a given angle: more determined if F^2 high
- lot of data (spectra) needed

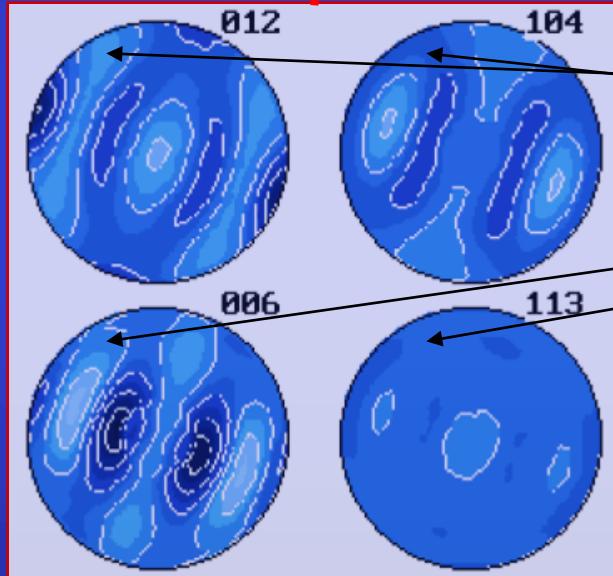
$|F_h|^2$:

- Position, f_i , and Debye-Waller constrained
- work on the sum of all diagrams on average

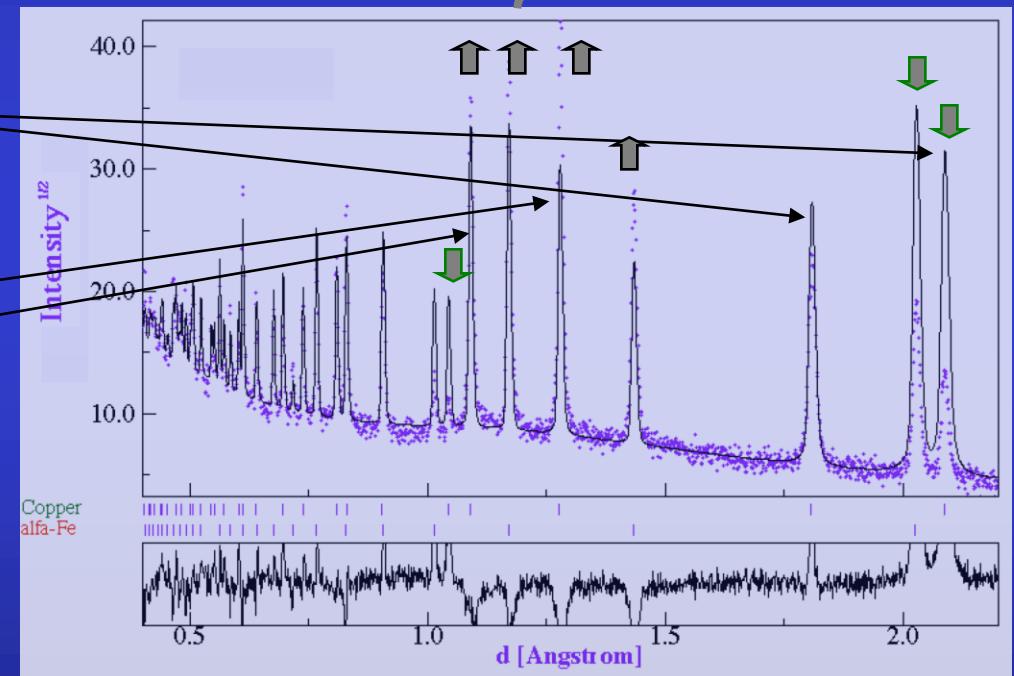
Texture from Spectra

Orientation Distribution Function (ODF)

From pole figures



From spectra



Le Bail extraction + ODF: WMV, E-WIMV, Generalized spherical harmonics, components, ADC, entropy maximisation ...

Residual Stresses shift peaks with y

Dilemma 2

Stress and QTA: correlations: $f(g)$ and C_{ijkl}

$f(g)$:

- Moves the $\sin^2\Psi$ law away from linear relationship
- Needs the integrated peak (full spectra)

strains:

- Measured with pole figures
- needs the mean peak position

Isotropic samples: triaxial, biaxial, uniaxial stress states

Textured samples: Reuss, Voigt, Hill, Bulk geometric mean approaches

Layered systems

Dilemma 3

Layer, Rietveld and QTA: correlations: $f(g)$, thicknesses and structure

$f(g)$:

- Pole figures need corrections for abs-vol
- Rietveld also to correct intensities

layers:

- unknown sample true absorption coefficient μ
- unknown effective thickness (porosity)

Phase and Texture

Dilemma 4

Phase and QTA: correlations: $f(g)$, S_Φ

$f(g)$:

- angular relationships
- plays on individual spectra
- essential to operate on textured sample

S_Φ :

- plays on overall scale factor (sum diagram)

Residual Stresses shift peaks with y

Dilemma 5

Stress and cell parameters: correlations: peak positions and C_{ijkl}

Cell parameters:

- Measured at high angles
- Bragg law evolution

strains:

- Measured precisely at high angles
- stiffness-based variation, also with Ψ

Shapes, microstrains, defaults, distributions

Dilemma 6

Shapes and stress-texture-structure: correlations ?

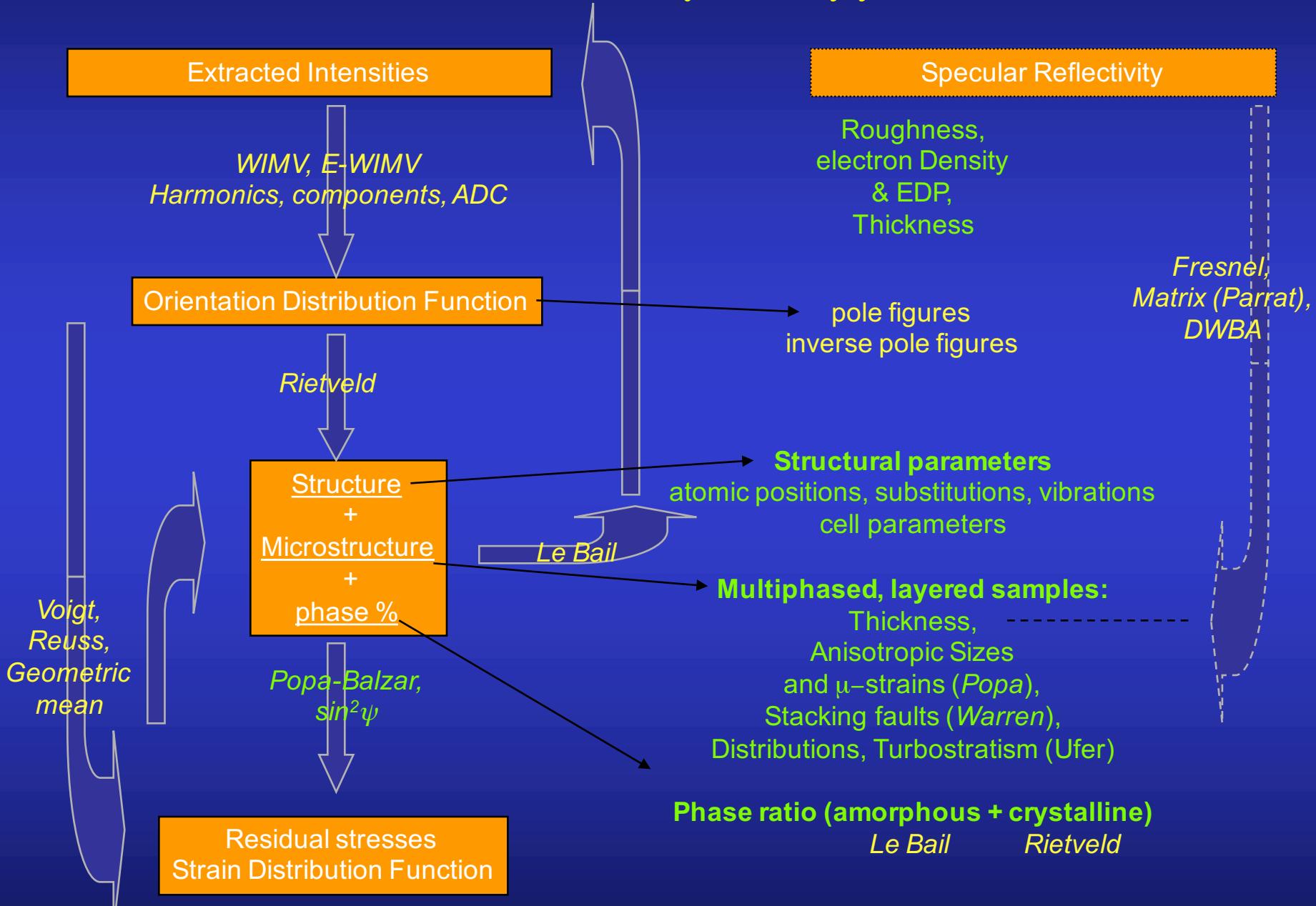
Shapes:

- line broadening problem
- average positions modified
- if anisotropic: modification changes with y

Stress-texture-structure:

- need “true” peak positions and intensities
- need deconvoluted signals

Combined Analysis approach



Grinding to powderise another dilemma !

Grinding: removes angular relationship, adds correlations

Texture:

- not measured
 - removed ? hope to get a perfect powder
- Strains, defaults, anisotropy ... :
- some removed, some added

Same sample ?

Rare samples ?

Minimum experimental requirements

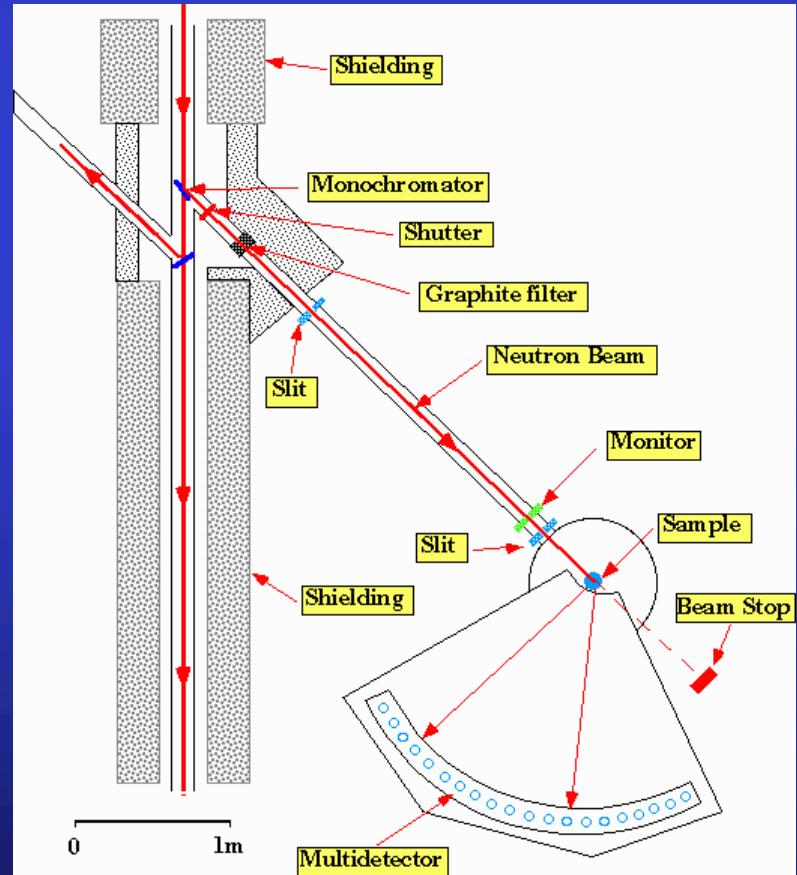
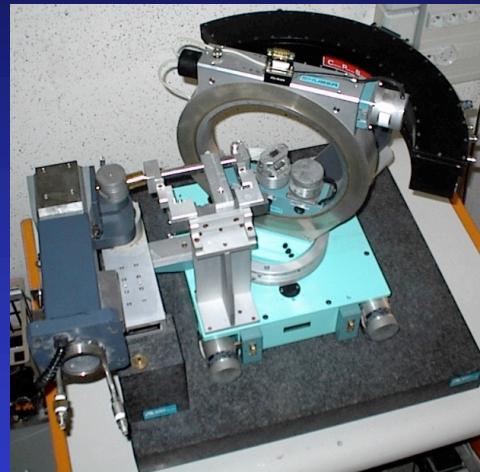
1D or 2D Detector + 4-circle diffractometer
(X-rays and neutrons)
CRISMAT, ILL

+

~1000 experiments (2θ diagrams)
in as many sample orientations

+

Instrument calibration
(peaks widths and shapes,
misalignments, defocusing ...)



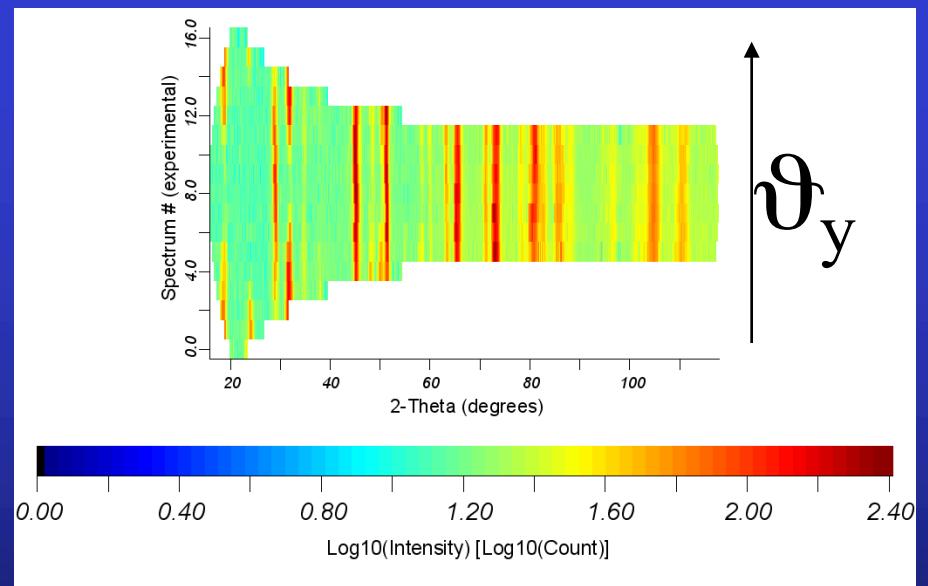
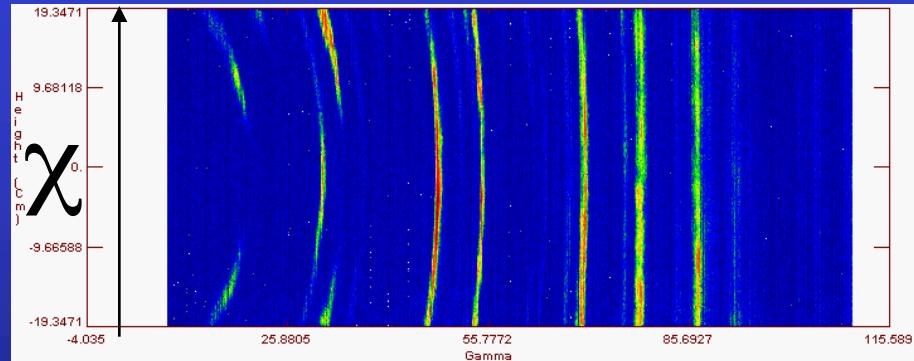
2D Curved Area Position Sensitive Detector



D19 - ILL

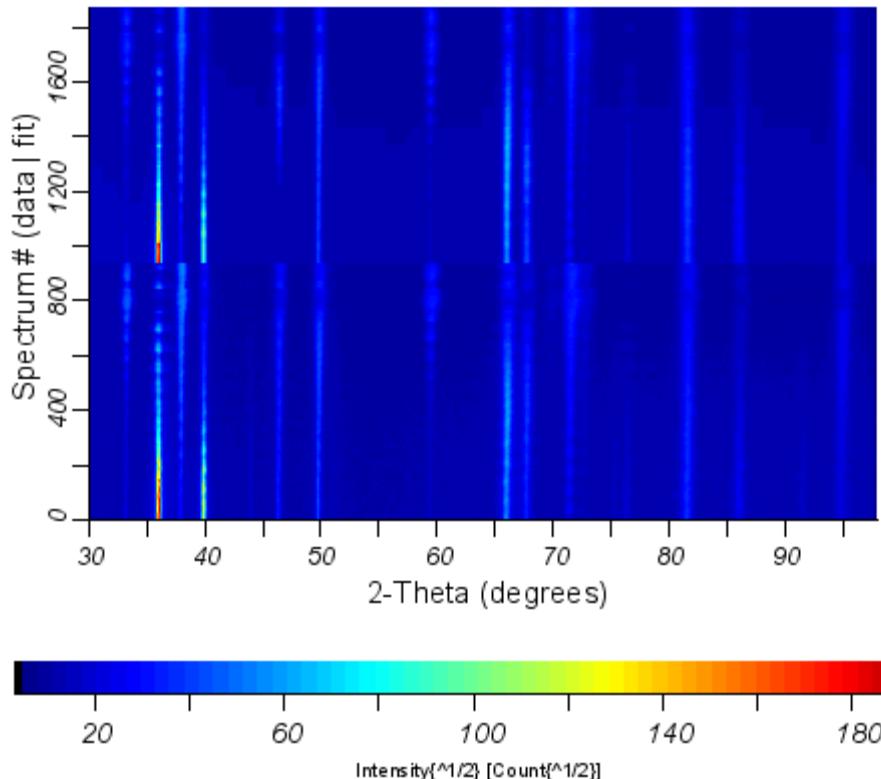
+

~100 experiments (2D Debye-Scherrer diagrams)
in as many sample orientations

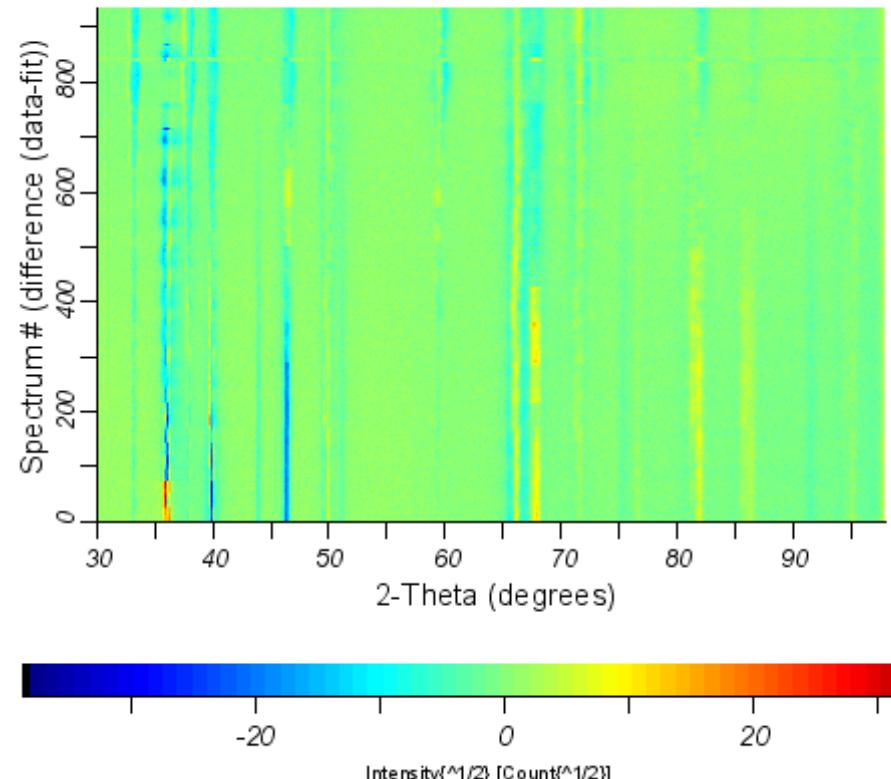


AlN/Pt/TiO_x/Al₂O₃/Ni-Co-Cr-Al

2D Multiplot for Data 05_37P64
measured data and fit



2D difference plot for Data 05_37P64
difference data - fit



Rw (%) = 24.120445
Rexp (%) = 5.8517213

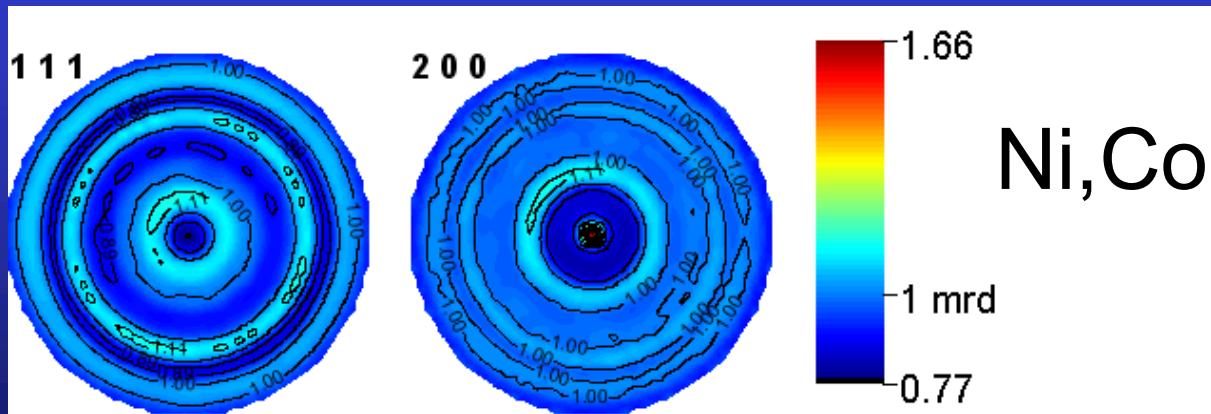
T(AlN) = 14270(3) nm
T(Pt) = 430(3) nm



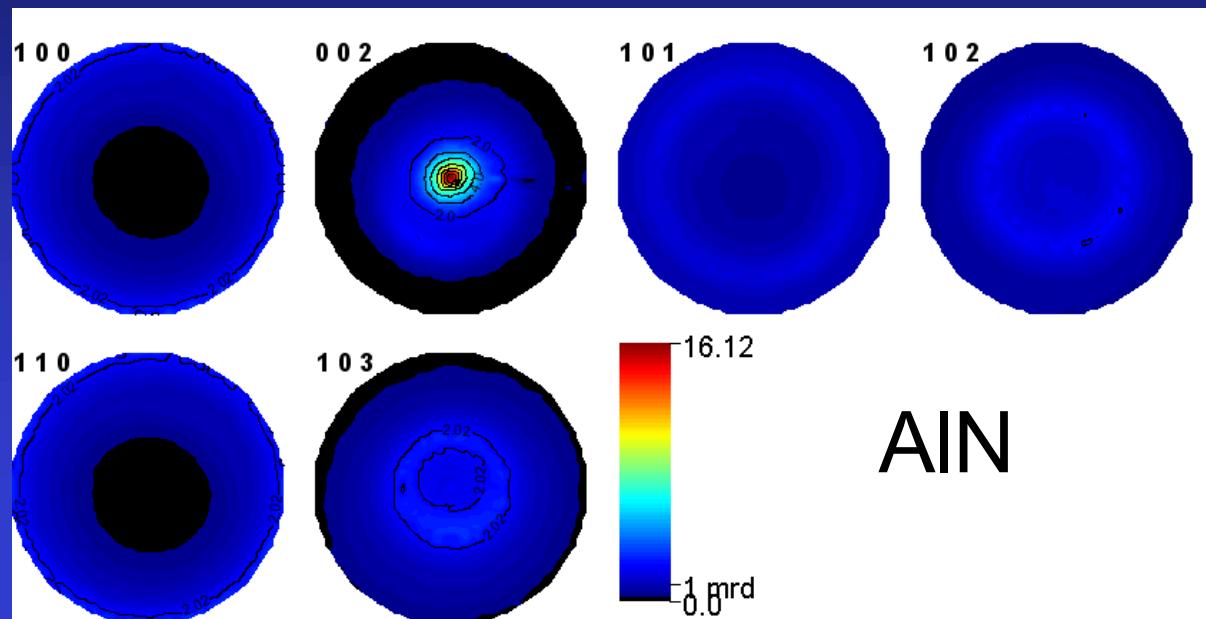
(χ, φ) randomly selected diagrams



$a = 4.7562(6) \text{ \AA}$
 $c = 12.875(3) \text{ \AA}$
 $T = 7790(31) \text{ nm}$
 $\langle t \rangle = 150(2) \text{ \AA}$
 $\langle \varepsilon \rangle = 0.008(3)$



$a = 3.569377(5) \text{ \AA}$
 $\langle t \rangle = 7600(1900) \text{ \AA}$
 $\langle \varepsilon \rangle = 0.00236(3)$
 $\sigma_{11} = -328(8) \text{ MPa}$
 $\sigma_{22} = -411(9) \text{ MPa}$



AlN

$$R_w (\%) = 4.1$$

$$a = 3.11203(1) \text{ \AA}$$

$$c = 4.98252(1) \text{ \AA}$$

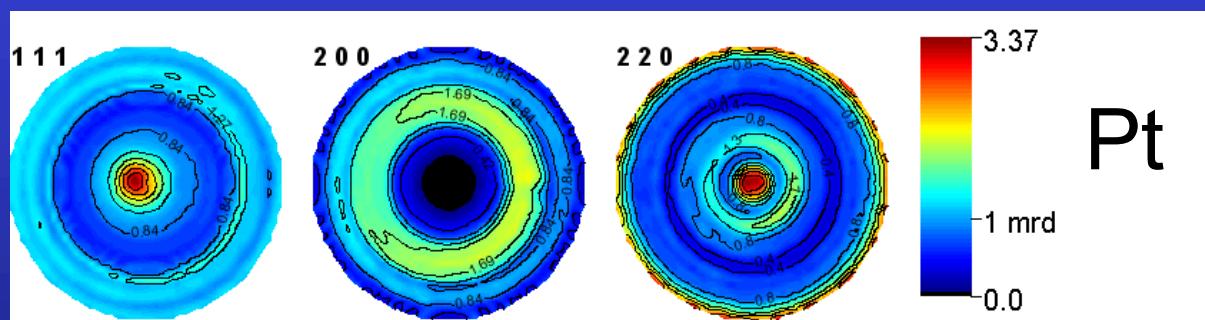
$$T = 14270(3) \text{ nm}$$

$$\langle t \rangle = 2404(8) \text{ \AA}$$

$$\langle \varepsilon \rangle = 0.001853(2)$$

$$\sigma_{11} = -1019(2) \text{ MPa}$$

$$\sigma_{22} = -845(2) \text{ MPa}$$



Pt

$$R_w (\%) = 33.3$$

$$a = 3.91198(1) \text{ \AA}$$

$$T = 1204(3) \text{ nm}$$

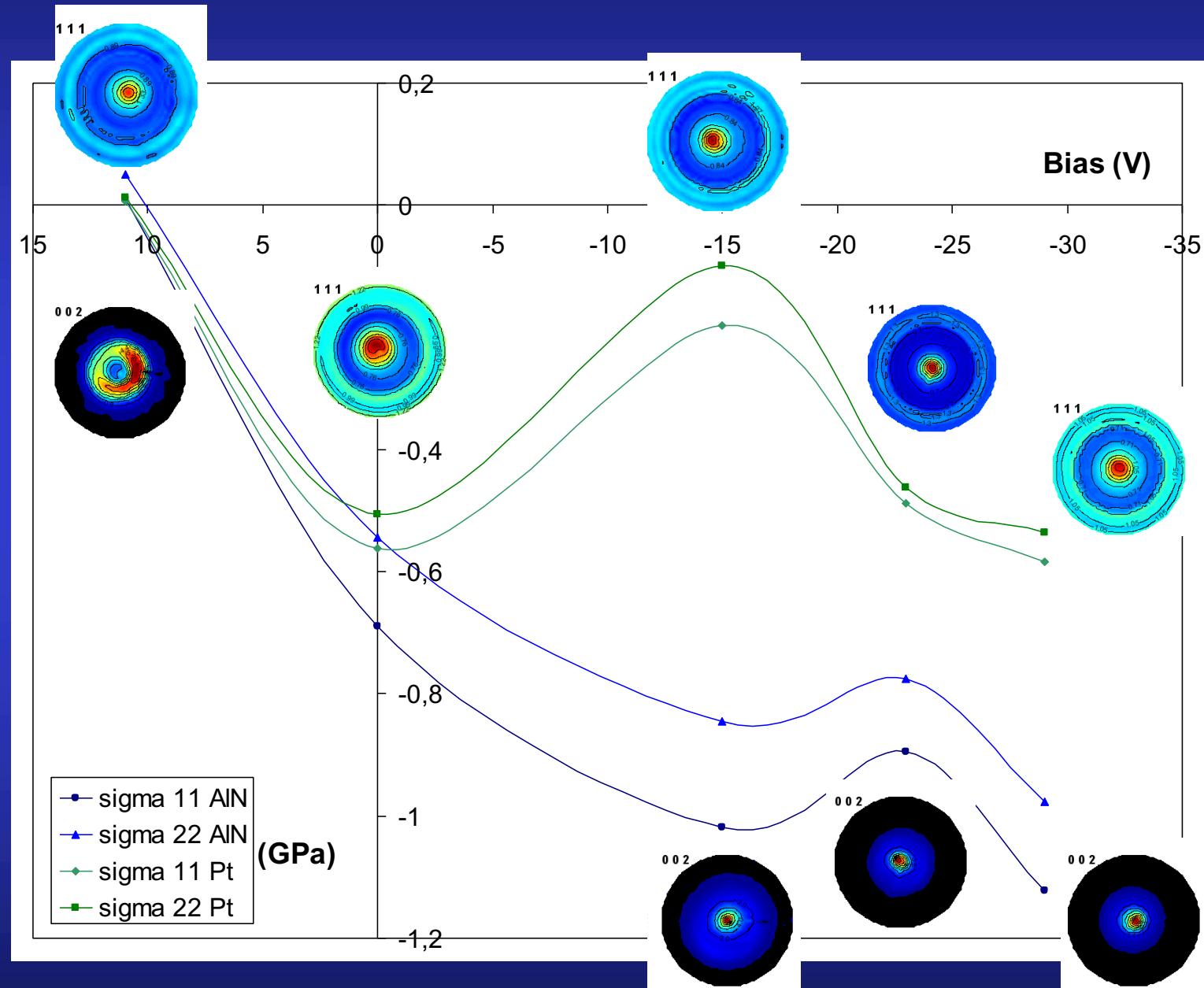
$$\langle t \rangle = 2173(10) \text{ \AA}$$

$$\langle \varepsilon \rangle = 0.002410(3)$$

$$\sigma_{11} = -196.5(8)$$

$$\sigma_{22} = -99.6(6)$$

Substrate bias vs stress-texture evolution



Aragonitic layers in mollusc shells

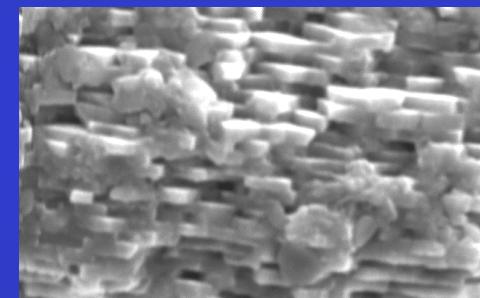
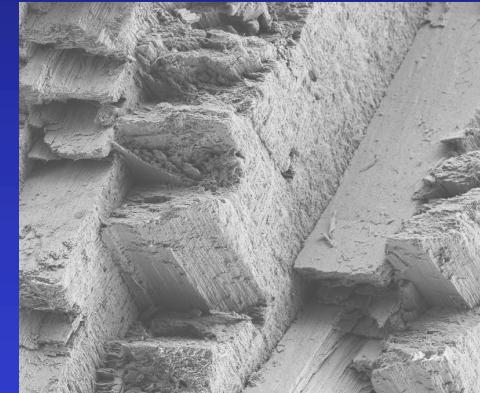
Gastropods

Crossed
lamellar layers

Charonia lampas lampas (triton or trumpet cousin)

Columnar
Nacre

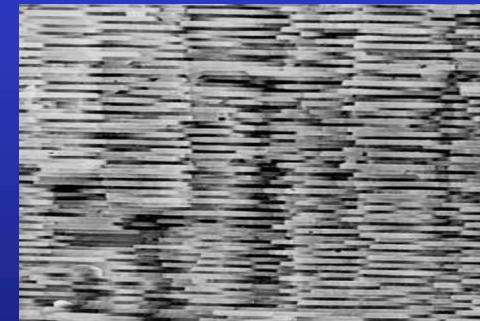
Haliotis tuberculata (common abalone)

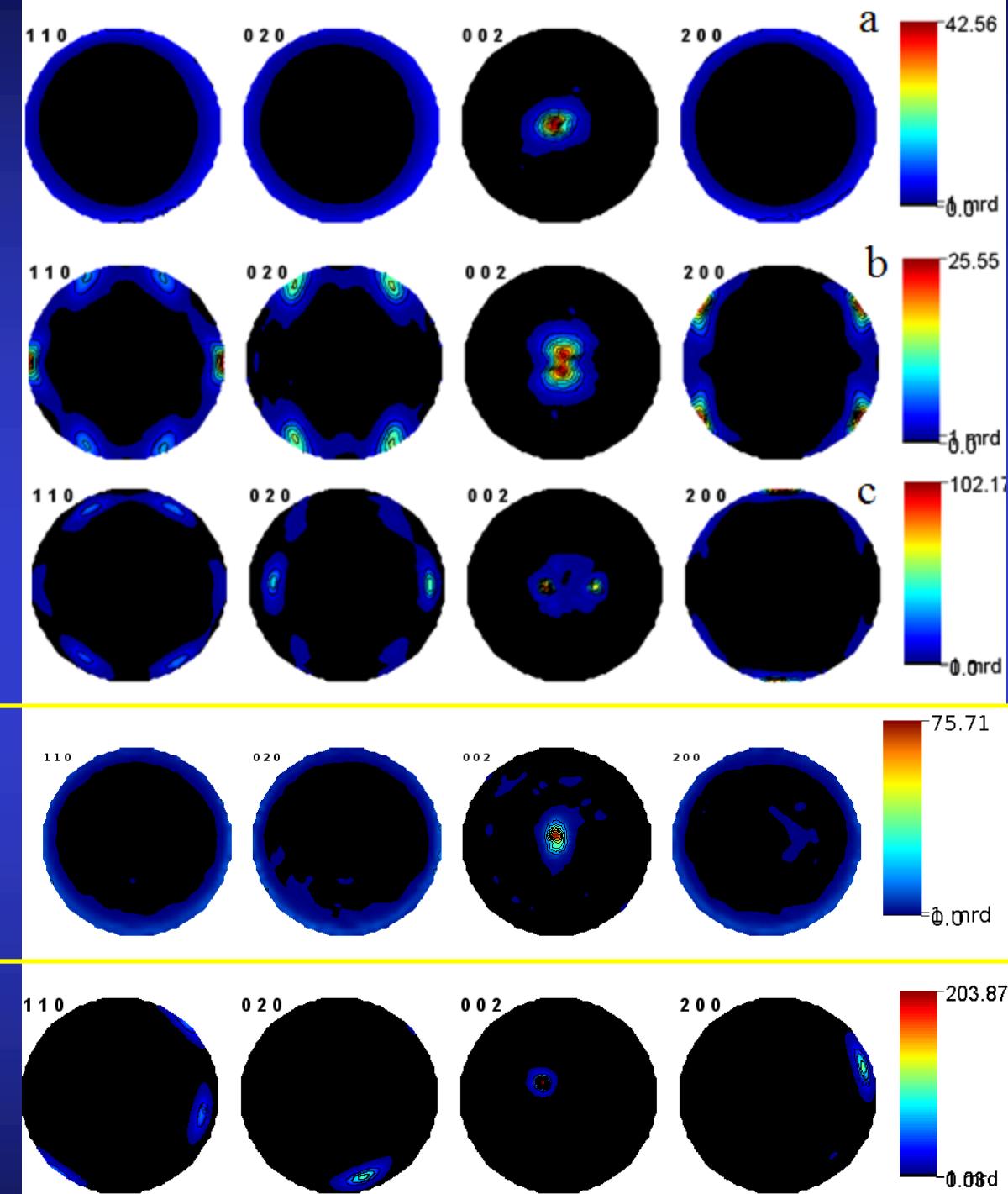


Bivalves

Sheet Nacre

Pinctada maxima (Mother of pearl oyster)





Outer CL
43 mrd²

Interm Radial CL
47 mrd²

Inner Com CL
721 mrd²

Inner Columnar Nacre
211 mrd²

Inner Sheet Nacre
1100 mrd²

Unit-cell distortions

	OCL	<i>Charonia</i> IRCL	ICCL	<i>Pinctada</i> ISN	<i>Haliotis</i> ICN
a (Å)	4,98563(7)	4,97538(4)	4,9813(1)	4,97071(4)	4.9480(2)
b (Å)	8,0103(1)	7,98848(8)	7,9679(1)	7,96629(6)	7.9427(6)
c (Å)	5,74626(3)	5,74961(2)	5,76261(5)	5,74804(2)	5.7443(6)
$\Delta a/a$	0,0047	0,0026	0,0038	0.0017	-0.0029
$\Delta b/b$	0,0053	0,0026	0,0000	-0.0002	-0.0032
$\Delta c/c$	0,0004	0,0010	0,0033	0.0007	0.0007
$\Delta V/V$ (%)	1,05	0,62	0,71	0.22	-0.60

Anisotropic cell distortion - depends on the layer

Only nacres exhibit (**a,b**) contraction

Due to inter- and intra-crystalline molecules

Distortions and anisotropies larger than pure intra- effect (Pokroy et al. 2007)

Elastic stiffnesses

Single crystal	160	37.3	1.7			
		87.2	15.7			
			84.8			
				41.2		
					25.6	
ICCL						42.7
	96.5	31.6	13.7			
		139	9.5			
			87.8			
				29.8		
RCL					36.6	
	130.1	32.6	10.3			
		103.3	14.1			
			84.5			
				36.3		
OCL					31.1	
	111.1	32.9	13.2			
		119	11.8			
			84.8			
				32.8		
					34.6	
						40.9

Atomic Structures

		Geological reference	<i>Charonia lampas</i> OCL	<i>Charonia lampas</i> IRCL	<i>Charonia lampas</i> ICCL	<i>Strombus decorus</i> mixture	<i>Pinctada maxima</i> ISN
Ca	y	0.41500	0.41418(5)	0.414071(4)	0.41276(9)	0.4135(7)	0.41479 (3)
	z	0.75970	0.75939(3)	0.76057(2)	0.75818(8)	0.7601(8)	0.75939 (2)
C	y	0.76220	0.7628(2)	0.76341(2)	0.7356(4)	0.7607(4)	0.7676 (1)
	z	-0.08620	-0.0920(1)	-0.08702(9)	-0.0833(2)	-0.0851(7)	-0.0831 (1)
O1	y	0.92250	0.9115(2)	0.9238(1)	0.8957(3)	0.9228(4)	0.9134 (1)
	z	-0.09620	-0.09205(8)	-0.09456(6)	-0.1018(2)	-0.0905(9)	-0.09255 (7)
O2	x	0.47360	0.4768(1)	0.4754(1)	0.4864(3)	0.4763(6)	0.4678 (1)
	y	0.68100	0.6826(1)	0.68332(9)	0.6834(2)	0.6833(3)	0.68176 (7)
	z	-0.08620	-0.08368(6)	-0.08473(5)	-0.0926(1)	-0.0863(7)	-0.09060 (4)
ΔZ_{C-O1} (Å)		0.05744	0.00029	0.04335	0.1066	0.031	0,054

Carbonate group aplanarity specific to a given layer

Aplanarity decreases from inner to outer shell layers (CL layers)

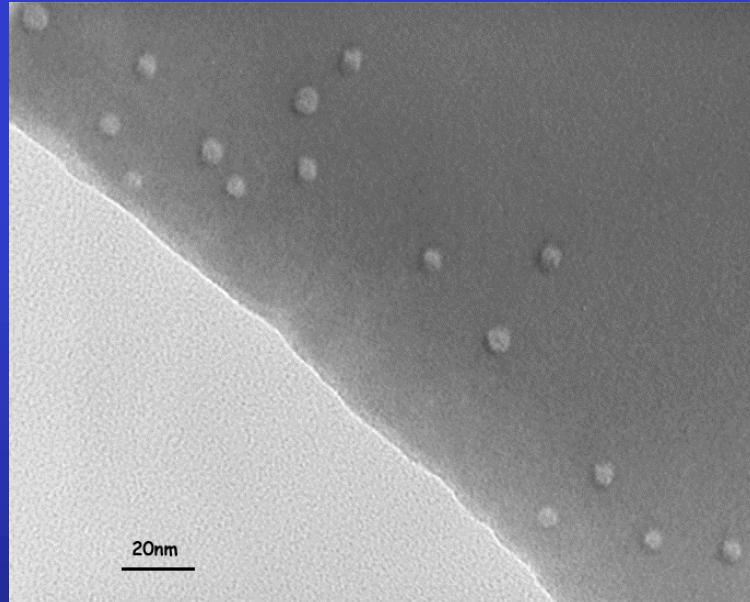
-> up to quite $\Delta Z=0$ outside (nearly the calcite value)

Average aplanarity on the whole shell = geological reference (*Strombus*)

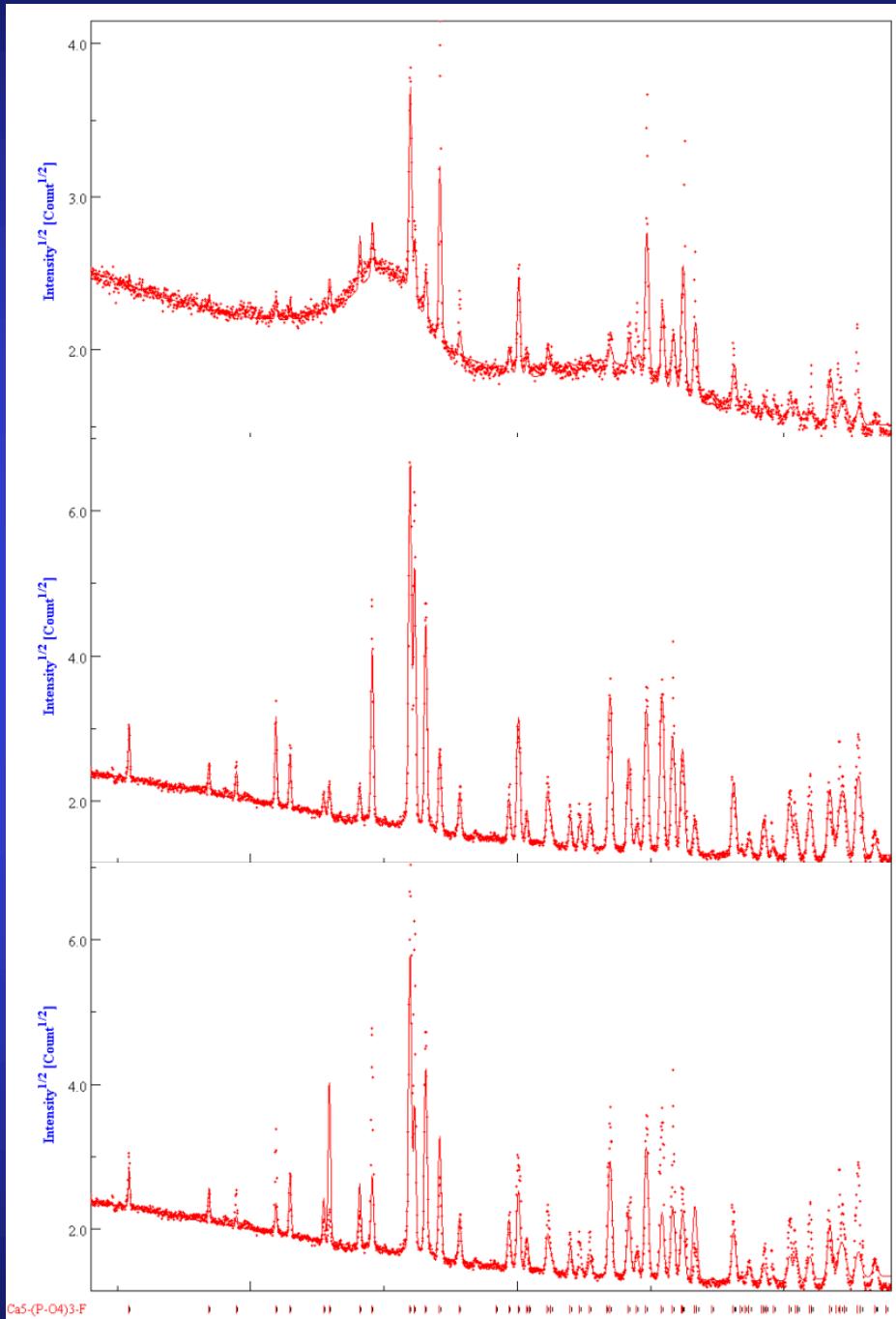
In *Haliotis* nacre: large $\Delta Z=0.08$, + strong anisotropy: less stable nacre

Irradiated FluorApatite (FAp) ceramics

Self-recrystallisation under irradiation, depending on $\text{SiO}_4 / \text{PO}_4$ ratio (FAp / Nd-Britholite) and on irradiating species



TEM of FAp
irradiated with 70
MeV, $10^{12} \text{ Kr cm}^{-2}$
ions

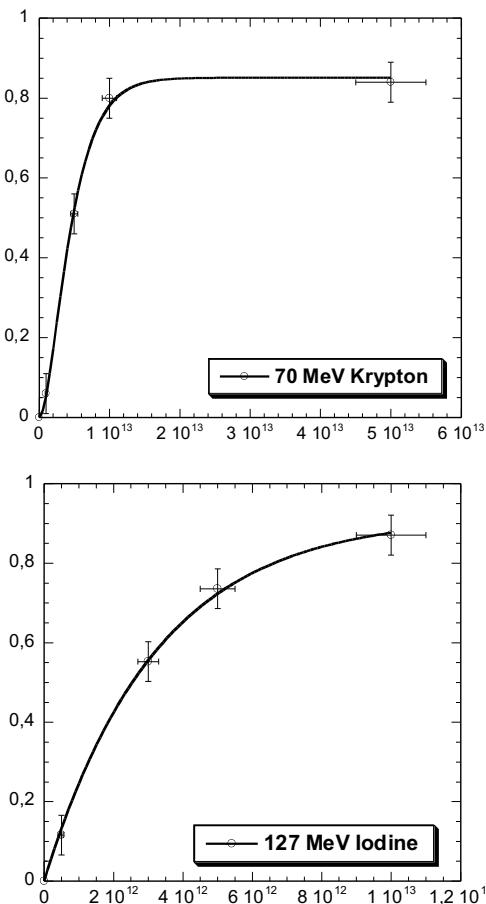


texture corrected,
 $10^{13} \text{ Kr cm}^{-2}$

Virgin, with texture
correction

Virgin, no texture
correction

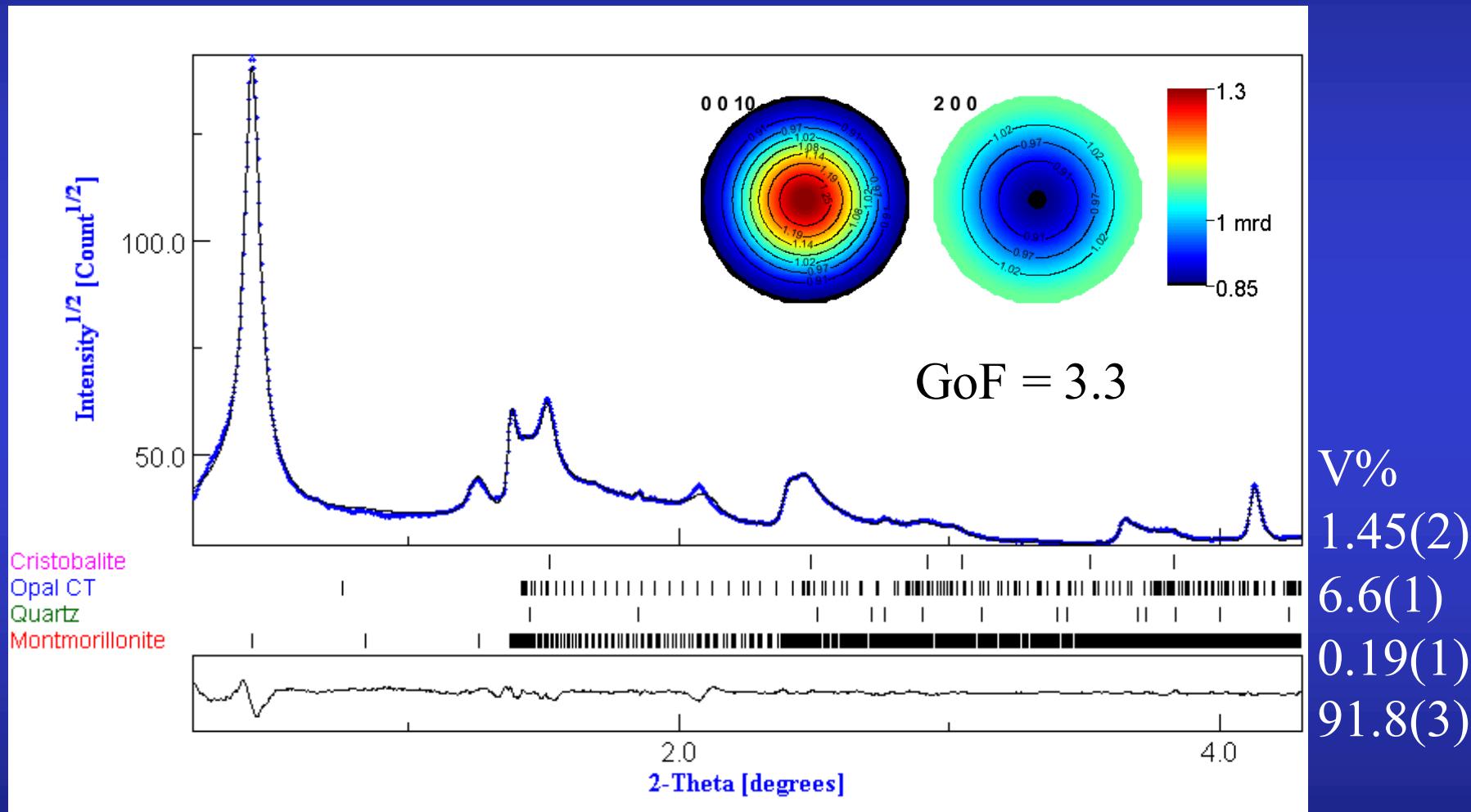
Amorphous/crystalline volume fraction (damaged fraction $F_d = V_a / V$) as determined by x-ray diffraction



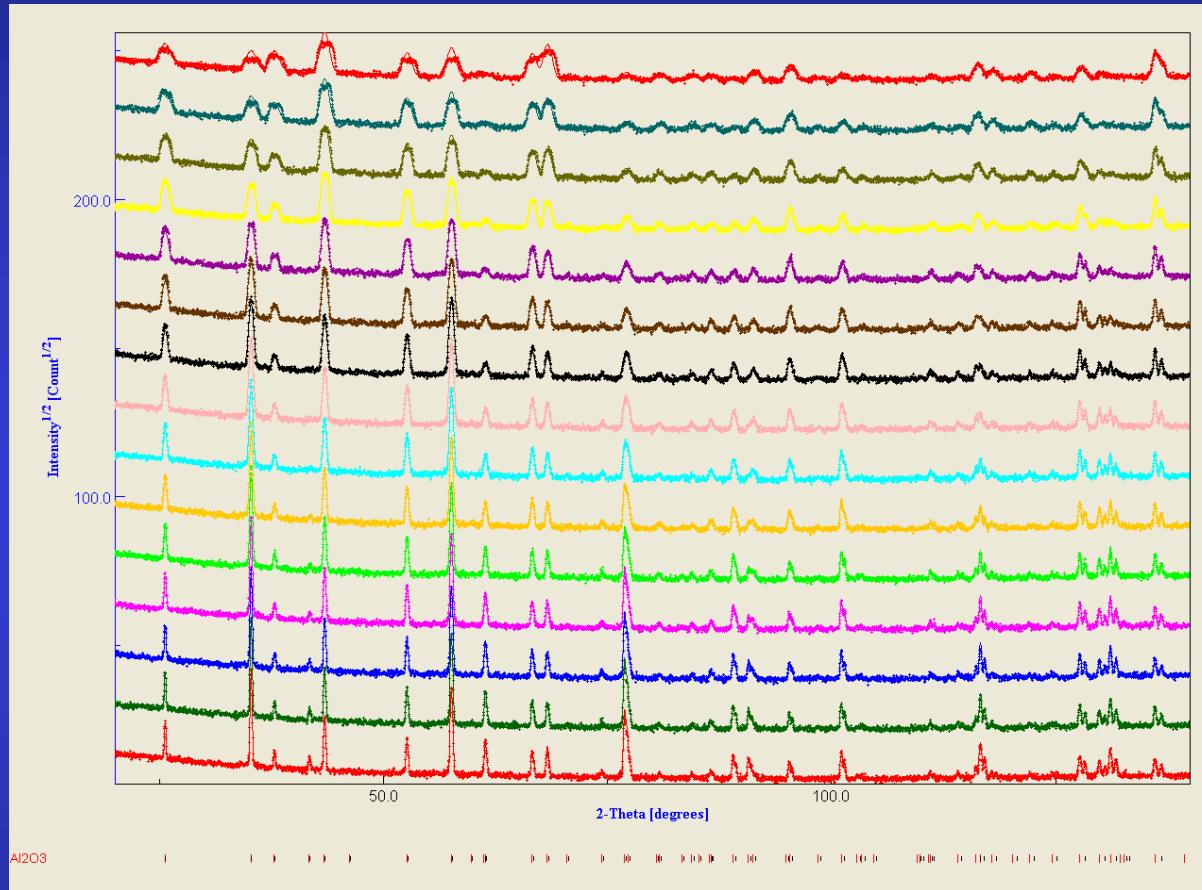
← B

Fitting parameters	Krypton		Iodine
	Single impact $F_d = B(1 - \exp(-A\Phi_t))$	Double impact $F_d = B(1 - (1 + A\Phi_t) \exp(-A\Phi_t))$	Single impact $F_d = B(1 - \exp(-A\Phi_t))$
$A = \pi R^2 (\text{cm}^2)$	$1.85 \pm 0.15 10^{-13}$	$4.1 \pm 0.15 10^{-13}$	$3.3 \pm 0.15 10^{-13}$
Radius R (nm)	2.4 ± 0.2	3.6	3.2
B (Max.damage rate)	0.87	0.85 ± 0.2	0.92 ± 0.2
χ^2	0.013	0.0006	0.0004

Turbostratic phyllosilicate aggregates



Al₂O₃ « standard » powder from Almelo



2θ-scans:

$$\text{GoF} = 1.92$$

$$R_W = 15.60 \%$$

$$R_B = 11.94 \%$$

θ–2θ-scans:

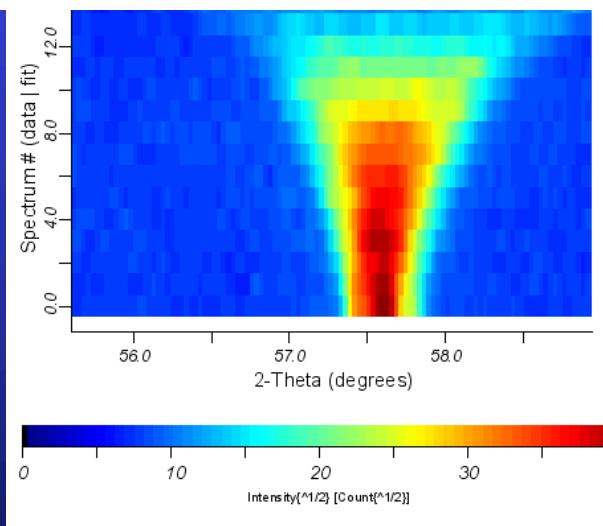
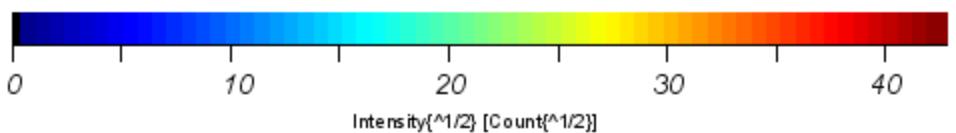
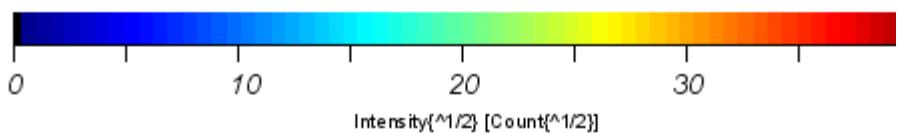
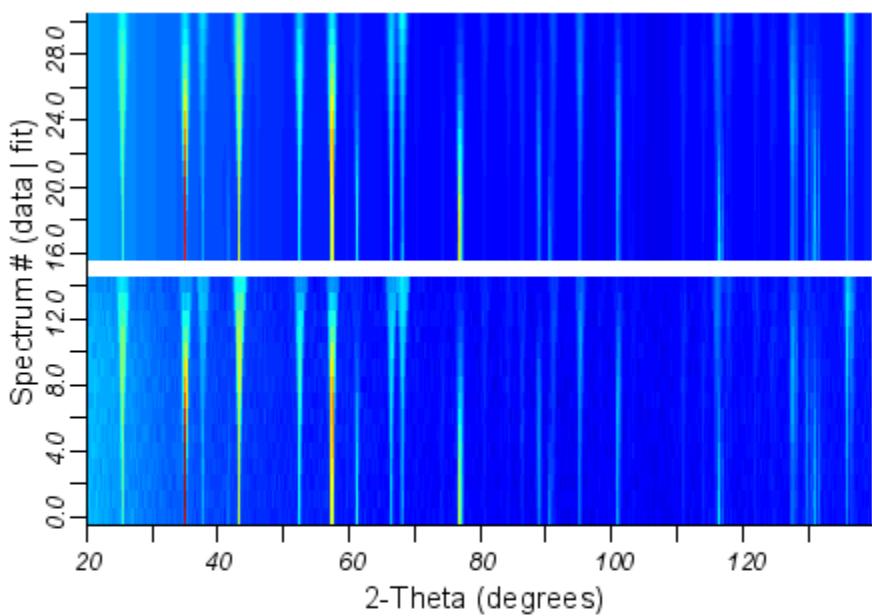
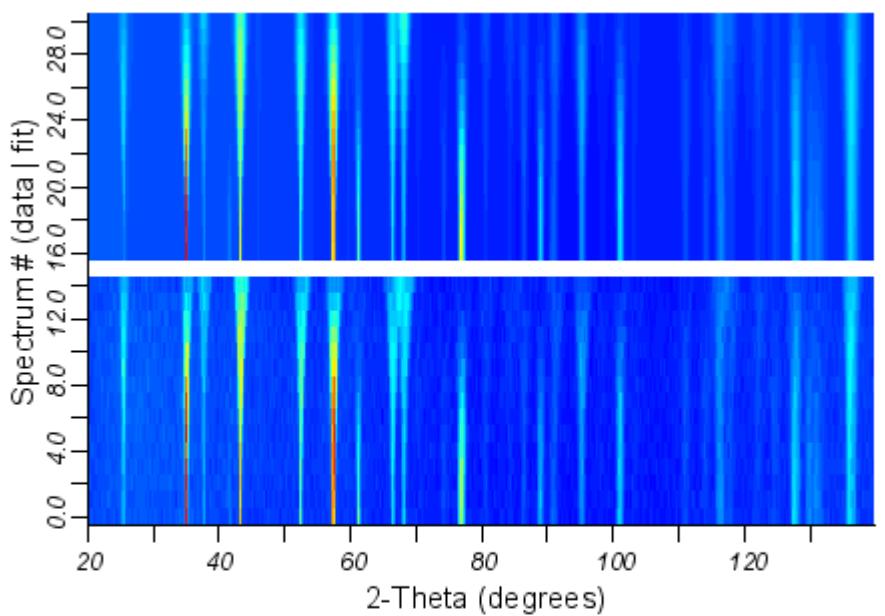
$$\text{GoF} = 1.86$$

$$R_W = 16.11 \%$$

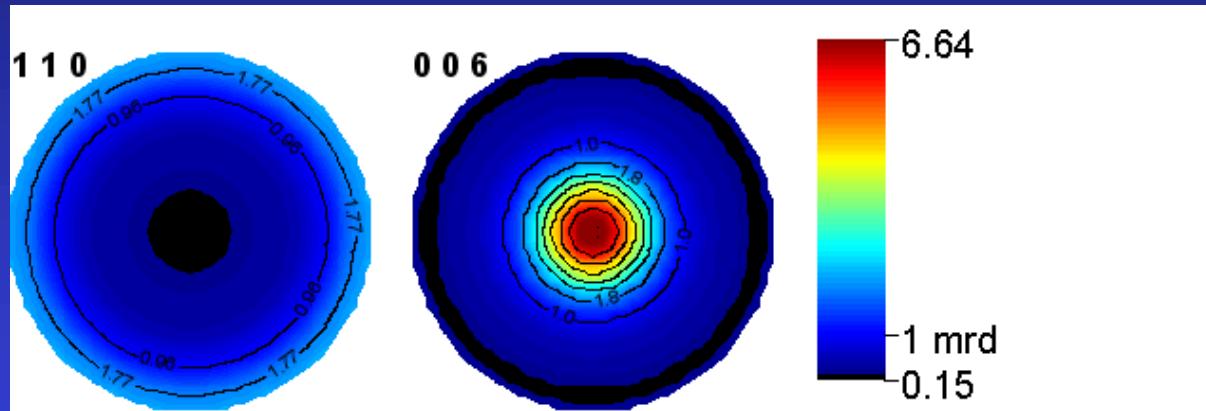
$$R_B = 12.40 \%$$

15 diagrams x 5 mn (fibre texture): 1.25 h

936 diagrams x 5 mn (non symmetric texture): 3.25 days



**-70 microns x shift in χ
And texture !!**



$$R_W (\%) = 9.23$$

$$R_B (\%) = 7.40$$

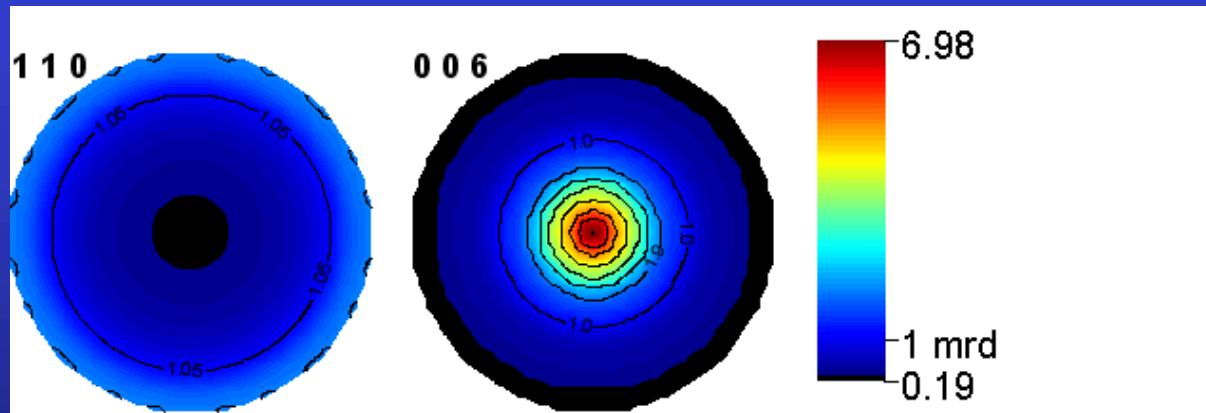
$$a = 4.75611(6) \text{ \AA}$$

$$c = 12.9806(1) \text{ \AA}$$

$$z_{\text{Al}} = 0.35266(3) \text{ \AA}$$

$$x_{\text{O}} = 0.6923(2) \text{ \AA}$$

Cyclic-fibre texture assumed



$$R_W (\%) = 7.14$$

$$R_B (\%) = 5.64$$

$$a = 4.75874(3) \text{ \AA}$$

$$c = 12.99373(7) \text{ \AA}$$

$$z_{\text{Al}} = 0.35225(2) \text{ \AA}$$

$$x_{\text{O}} = 0.6943(2) \text{ \AA}$$

Conclusions

- a) Texture affects phase ratio and structure determination
- b) Microstructure (crystallite size) affects texture (go to a)
- c) Stresses shift peaks then affects structure and texture determination
- d) Combined analysis may be a solution, unless you can destroy your sample or are not interested in macroscopic anisotropy ...
- e) If you think you can destroy it, perhaps think twice
- f) more information is always needed: local probes ...
- g) Combined Analysis (D. Chateigner Ed), Wiley-ISTE 2010

Merci de votre attention !

M. Morales, L. Lutterotti